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Forest Products Laboratory

nesearch Puper EPL 356 January 1980 Lumber Values from Computerized Simulation of Hardwood Log Sawing

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Abstract

Computer simulation sawing programs were used to study the sawing of mathematical models of hardwood logs by the live sawing and three 4-sided sawing methods. One of the 4-sided methods simulated "grade sawing" by sawing each successive board from the log face with the highest potential grade. Logs from 10 through 28 inches in diameter were sawn. In addition, a refinement in the live sawing called live rip, in which center-sawn boards are ripped to increase value, was studied.

Results generally indicate that all of the 4-sided methods studied gave similar lumber values. Live sawing was better than the 4-sided methods with good logs but inferior for 10- and 12-inch logs with large defective cores. Live sawing followed by ripping produced the highest lumber values in almost all cases.

This Research Paper is one in a series of three which describe the computer simulation of hardwood log sawing. Mathematically modeled logs with a selection of diameters, core defect diameters, and knot patterns were sawn by four sawing methods, and the resultant values were recorded.

The first paper, USDA Forest Service Research Paper FPL 355, "Simulation of hardwood log sawing," describes the sawing methods, and the background and development of these programs.

This second paper, FPL 356, "Lumber values from computerized simulation of hardwood log sawing," presents the results of the sawing in terms of volume yield and lumber value, and compares them for the four sawing methods.

The third paper, FPL 357, "Programs for computer simulation of hardwood log sawing," lists the programs, model assumptions, and program organization and variables.

Keywords

Computer simulation

Mathematical modeling

Hardwood sawing

Computer programs

Quadrant sawing

Cant sawing

Live sawing

Decision sawing

Grade sawing

Grade yield

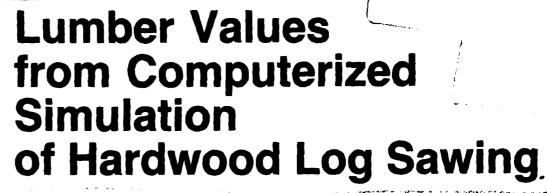
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Research Paper

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Introduction

In the United States, most hardwood sawyers turn a log on the carriage a number of times in an effort to get the highest grade lumber available from the log. In this process (called "sawing for grade") the log is usually sawed on all four faces. It is generally assumed by lumbermen that this process yields the highest dollar value from the log even though a number of studies have suggested otherwise (2-7, 10, 12, 13, 14, 17, 18, 20-23, 25, 27, 28). ³

The simulation study of Richards (21) seems to indicate that, under average conditions, live sawing may exceed 4-sided sawing in value by about 3 percent, but if the four centrally located wide boards are reripped by a mathematical formula. the live sawing (now called live rip) surpasses 4-sided sawing by about 15 percent in value. Despite these interesting results, the issue is still in doubt. The logs simulated by Richards were somewhat above average in quality, there were no hidden knots (all knots came to the surface), and the 4-sided sawing methods used were strictly mechanical in nature and hence did not really simulate the sawing pattern a good sawyer might have used when uncovering hidden defects.

It is the purpose of this study to clarify these issues by using simulated logs with hidden knots, by turning the log on the carriage to saw the highest valued log face as a sawyer might do, and by making other modest improvements in defect input and in reripping simulation.

Methods

In real life, of course, a sawyer can turn his log to any position he wishes for the initial cut, but once he has developed a log face he is committed to all four faces for the log. After sawing the log he can not put it back together and saw it over

again to see how it would come out had he elected to start from a slightly different rotational position. Computerized simulation allows the same log to be sawn by different methods and is one of the main justifications of a study such as this.

The simulation system and programs used allow any reasonable values for such log parameters as length, diameter, taper, knot location, knot length, and knot taper, as well as core defect size and location. Any reasonable values for board and kerf thickness, for rotational position on the sawmill carriage, and for lumber prices may also be used. The following descriptions only outline what the computer did to get the results in this particular

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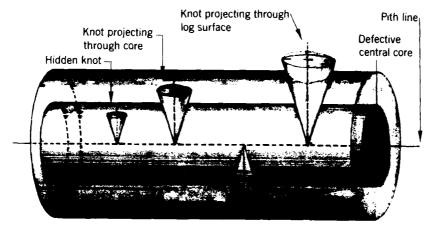


Figure 1.—An illustration of the method used to simulate a log, its knots, and the centered defective core area.

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Figure 2.—End view of a log sawn by the quadrant sawing method.
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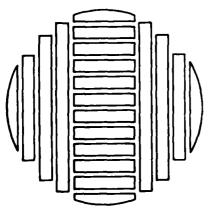


Figure 3.—End view of a log sawn by the cant sawing method.
(M 146 326)

report. Details of how the computer programs work (24) and copies of the program themselves (1) are available.

Log Model

Logs were simulated in a computer as truncated cones with a taper of 0.3° (approximately 1-1/2 in. of taper in the 12-ft logs used in this study). The logs ranged from 10 through 28 inches in diameter (inside bark) at the small end. In hardwood lumber grades, the minimum clear-face cutting is a rectangular piece 3 inches by 2 feet, clear on one face with the reverse side sound (16). The central core was assumed to be so defective that it yielded no allowable clear-face cuttings in a centrally located cylinder that extended the length of the log and was 1, 4, 6, or 8 inches in diameter.

Each knot was simulated as a cone with its apex of 24° at the pith (central axis) of the log (fig. 1) and tapering outward (yielding a knot approximately 3.4-in. in diameter at the surface of a 16-in.diameter log). Each log had either 15 or 30 knots, the positions of which were randomized both longitudinally and periclinally (around the log). The length of each knot from the pith outward was selected at random in the following manner: A decimal fraction between 0 and 1 was selected at random and then squared. The resultant fraction was then multiplied by the log radius and the product added to 3 inches to yield the length of the knot This means that any one knot could be terminated anywhere between 3 inches from the pith to 3 inches beyond the log surface, but that it had a reasonable probability of being hidden fairly deeply as the square of a decimal fraction is smaller than the fraction itself and hence the

distribution is skewed toward knots that are shorter (i.e., hidden more deeply).

Sawing Methods

The following five sawing methods were used in the current study:

Quadrant Sawing

Because quadrant sawing requires the maximum number of turns on the carriage, it is an impractical method of sawing, but because of a rather uniform level of performance it is included as a reference. While the computer saws one quadrant at a time, the pattern sawed is the same as would be produced by turning the log after each board is cut and alternating 180° turns with 90° turns on the carriage until a central cant 5-1/8 inches thick remains which is sawed into boards by parallel saw cuts (fig. 2).

Cant Sawing

Of the 4-sided sawing methods, cant sawing requires the fewest number of turns on the carriage. By cutting a slab and board(s) from face 1 and then from face 3, a central cant is produced that has a selected thickness (in this study, 2 in. less than half the log diameter). This central cant is then turned 90° and sawed into boards (fig. 3).

Decision Sawing

The decision sawing method simulates the decisions of a human sawver in grade sawing. Faces 1, 2, 3, and 4 of the log are sawed until the log is square and without wane at midlength. Each exposed face is then graded by the Forest Products Laboratory (FPL) computerized grading program (8, 9, 22) and the highest grade face selected for sawing. In case of a tie between the grades of two faces, the one with the largest surface measure is chosen. The selected face is sawed until the grade drops. Second, the program again grades every affected face and selects the highest grade face for sawing (surface measure decides ties) and continues sawing any given face until the grade drops. Third, log turning and sawing continue in like manner until a central cant remains that will yield exactly four equal boards when parallel sawed. Sawing is completed by sawing these four boards which may or may not be the same size as adjacent boards (fig. 4).

Live Sawing

In live sawing a saw kerf bisects the log along the central axis and the plane of each subsequent saw cut (and hence each board face) is parallel to this central cut (fig. 5).

Live Sawing with Reripping for Grade

In live rip, the log is sawed as in live sawing but the outer face of each board is checked for defect type. If the central core defect shows up on the outer face of the board, this defect is automatically ripped out and the resultant boards are regraded and revalued (fig. 6). If the rerip value exceeds the former value, it is used; otherwise the former value is used and it is assumed that no rerip would have been performed. In the computer, the programs for live sawing and live rip sawing are run simultaneously as one program, as the output for live sawing is used immediately to generate the rip data. They are reported here as two separate sawing methods because their results, when different, are reported separately in the tables and figures. For logs with 1-inch core defects, the reripping showed no improvement; hence live rip data are omitted to save needless repetition and only live sawing values are reported. While the reripping technique is a moderately good one, it is certainly not an optimum one and higher values could probably be obtained with a more nearly optimum reripping procedure.

All Methods

In all the sawing methods, any waney boards produced are parallel edged to limit the length of wane to 50 percent or slightly less along each edge of the board. In addition, if the board tip has excessive wane, it is cut back by 1-foot decrements until the sound wood is at least 2.5 inches wide at the tip and 3 inches wide at midlength, and the wane is not wider than 2 inches on each edge. If these edging and trimming procedures reduce the piece to less than 4 feet in length, then the piece is discarded as not being lumber.

Each study log generated in the computer was sawed by each of the sawing methods. In addition, for each sawing method, the log was completely sawed in 12 different rotational positions. Each subsequent sawing assumed the log to have been positioned on the carriage for the initial cut in a position rotated 15° clockwise from the initial position of the previous sawing of that log. This procedure means that if a particular knot were in the 0° position for the first sawing of the log, it would be in the 15° position for the second sawing, the 30° position for the third sawing, and on around to 165° for the twelfth sawing: there would be no point in going on to 180° as it would duplicate the 0° position (fig. 7). This clockwise rotation of the log is

equivalent to rotating the position of the initial saw cut in a counterclockwise direction around the log. The computer not only calculated the average value for all 12 rotational positions, but it also kept track of the highest and the lowest valued position and reported them. The rotational position yielding the highest value is called Best (B), the average value Mean (M), and the rotational position yielding the lowest value Worst (W).

Log diameters of 10, 12, 14, 16, 18, 20, 24, and 28 inches were studied for 1-, 4-, and 6-inch core defects but the 10-inch-diameter logs were not studied for the 8-inch core as there would be only below-grade boards in such a log. For each size of log and core defect two numbers of knots were used (15 and 30 knots per log).

For the main part of the study, 1-inch boards were sawn using a 3/8-inch saw kerf. While this is not identical (because of a slight difference in wane generated), it is approximately equivalent to cutting 1-1/8-inch boards with a 1/4-inch kerf or 1-1/16-inch with a 5/16-inch kerf. In other words, it is approximately what might be expected from a well-alined and run circular headsaw.

Because of the continued good showing of the live sawing methods (especially live rip), it was decided to set up a comparison with a log-frame gang saw and thereby determine, also, the exact gain in volume yield resulting from a reasonable reduction in saw kerf. For this reason, a 1/4-inch saw kerf was also used for live sawing and live rip sawing for some of the logs. This is approximately equivalent

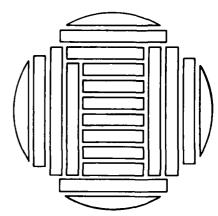


Figure 4.—End view of a log "grade sawn" by the decision sawing method.

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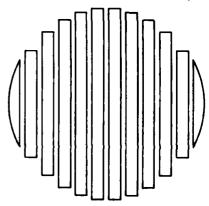


Figure 5.—End view of a log sawn by the live sawing method.

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CORE DEFECT

Figure 6.—Live-sawn lumber showing rip locations at intersection of the defective core with the outer board face.

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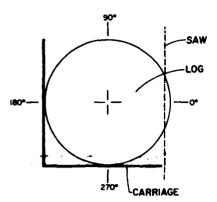


Figure 7.—The rotational position of the log and its faces with reference to the saw line.

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to a log-frame saw with 1/8-inch kerf sawing 1-1/8-inch boards or with 3/16-inch kerf sawing 1-1/16-inch lumber.

The computer also kept track of the board foot volume (feet-board-measure, or fbm) in each log and at the completion of the sawing of each log in each rotational position calculated the percent volume yield of that sawing. This volume calculation was performed by first calculating the solid cubic foot volume of the truncated cone that represented the log prior to sawing. The log yield in board feet (fbm) was then converted to solid cubic feet of lumber by dividing the number of board feet by 12; this resultant value for solid cubic feet of lumber was divided by the solid cubic feet in the original log to determine the percent volume yield. It should be noted that this percent volume yield is really a measure of conversion efficiency of the sawing process and was not calculated with respect to any particular log rule for

volume yield values are reported in the tables of results along with the value yields. Because of the set mechanical sawing patterns used in the quadrant, cant, and live sawing methods, the volume yield for any size log within each of these three methods will be identical although there are differences between the methods. Because of the judgments involved in them, the decision and the live rip sawing methods can, and sometimes do, result in different volume yields for different sawings of the same-sized log. When this occurs, the appropriate range of volumes is reported in the tabular results.

Grading and Pricing

In all the above sawing methods, the grading was done by the computer using the FPL computer grading program as modified for an IBM 370-165 computer. For comparative purposes it is desirable to use one price structure through a series of studies, yet it is also desirable to use relatively current prices in order to give a study credibility. The results of the current study are based on May 1978 Appalachian Red Oak prices on a board-foot basis: First and seconds (FAS) - \$0.470; FAS One Face (1F) = \$0.460; One Common (1C) \$0.390; Two Common (2C) = \$0.205. All lower grades (mainly the defective heart center or core defect) were lumped together and assigned an arbitrary value of \$0.085 per board foot.

Results

The raw data for 1-, 4-, 6-, and 8-inch core defects show the B, M, and W dollar values from the 12 rotational positions actually evaluated by the computer (tables 1-4). Knots were originally located at

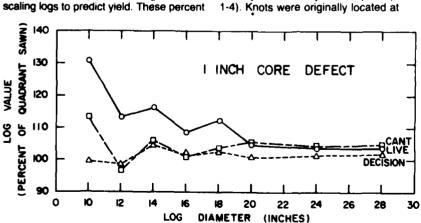


Figure 8.—Lumber values for three sawing methods, as percentages of values from quadrant-sawn logs with a 1-inch core defect.

random, and that same knot configuration was then used for quadrant, cant, decision. live, and live rip sawings and, in addition, for live and live rip for 1/4-inch kerf sawings (tables 2-4). This means that if the random set of knots happened to be a good or bad configuration it was nevertheless applied identically to each sawing method and hence did not help or hurt any one sawing method with respect to the other methods. For each combination of log diameter and knot number, a new set of random knot locations was generated so that for 1-inch core defects (table 1), 16 different random knot patterns were generated and the same patterns were used for 4- and 6-inch core defects (tables 2 and 3). For 8-inch core defects (table 4), only the 14 appropriate random knot patterns were used because the 10-inch logs were omitted. Thus the study was conducted on 16 different random knot configurations. Each of the 12 sawing positions for any one simulated log was on the identical knot pattern, the whole knot pattern being rotated together by 15 increments in the same manner as a log could be rolled on the saw carriage The substantial differences between the B and the W rotational positions for each log emphasize the value of computer simulation

Because quadrant sawing was a rather consistent performer, data for all other sawing methods were expressed as percentages of the like volumes or values for quadrant-sawn logs (i.e., B as a percent of quadrant-sawn B, M as a percent of quadrant-sawn M, etc.) (tables 5-8). To better understand the average performance of the sawing methods, the mean values from tables 1-4 are summarized in tables 9-12. Ranges of performance exhibited by the various rotational positions are depicted as the difference in dollar value between the B and W rotational position expressed as a percent of W (tables 13-17).

To summarize the data further, the 15and 30-knot mean values were averaged within each final subdivision of core defect, log size, and sawing method to yield both an average dollar value and a percent of quadrant-sawn log value for each such subdivision (tables 18-23) (figs. 8-13). The different methods of weighting a common data base affect percentages (table 24). Table 25 shows data obtained by averaging values for 1- and 4-inch core defects, omitting data for the larger core defects.

Discussion

Sawing Methods

Perhaps the most surprising result is that the decisionmaking sawing method. which simulates the decisions of a skilled sawyer, does not perform any better than the purely mechanical methods of sawing a log. In fact, on the average, it performs slightly poorer than the other 4-sided sawing methods (tables 23 and 24). While this deficiency in performance is only 1 or 2 percent and can hardly be considered of high significance, it certainly can be said that decision sawing did not outperform the other sawing methods. What this seems to imply is that always turning to the best face of a log and sawing until the grade drops is not the best way to saw a hardwood log. A balanced method of sawing around the central core defects (such as quadrant sawing) seems to perform as well as, or slightly better than, a decisionmaking process. If the core defect had been offcenter, the decision sawing would probably have outperformed quadrant sawing but, until offcenter studies are performed, such a statement is only conjecture.

Live sawing and the three methods of 4-sided sawing all averaged within a percent or two of each other in value of lumber sawn (tables 23 and 24). Live sawing followed by reripping for grade, however, averaged about 7 percent higher in value than the 4-sided methods. Such gross averages hide some very interesting details. For example, live sawing tends to perform better on higher quality logs. Live sawing relative to quadrant sawing performs better on 15-knot logs than on 30-knot logs 80 percent of the time (tables 5-8,M). The margin of superiority of live sawing progressively declines in going from a 1-inch to an 8-inch core defect (tables 18-21) (figs 8-11). For the 6- and 8-inch core defects, it performs better as the log size increases (figs. 10 and 11). It displays a reverse trend for the 1-inch core defect (fig. 8) and, following neither trend, tends to peak at the 18-inch log diameter for the 4-inch core logs in a manner similar to live rip sawing. The overall performance of live sawing is increased if only the 1and 4-inch core defects are considered, omitting the logs with larger defects (table 25) (fig. 13). In such logs, live sawing averaged 8 percent better than quadrant

While both live and live rip sawing perform poorly on small logs with large core defects (tables 7 and 8) (figs. 10 and 11), live rip does not always follow the trend of live

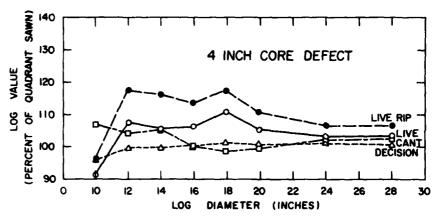


Figure 9.—Lumber values for four sawing methods as percentages of values from quadrant-sawn logs with a 4-inch-diameter core defect.

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sawing to do relatively better in highquality logs. For 1-inch core defects, the live sawing methods are identical to each other in value (table 5), and are better in the 15-knot than in the 30-knot logs; but for 4-, 6-, and 8-inch core defects (tables 6-8) live rip is relatively better in 30-knot than in 15-knot logs 74 percent of the time and for the 6-inch core defects (table 7), 100 percent of the time. Except for 1-inch core defect logs (fig. 8), where it is identical to live, live rip tends to peak at 18-inch logs (figs. 9-12) although for the 4-inch core defect there is a double peak (fig. 9) (table 19) with the peak for 12-inch logs being a fraction of a percent higher in relative value than the peak for 18-inch ones. Live rip does rather well when only 1-inch and 4-inch core defects are considered (table 25) (fig. 13), averaging percent better than quadrant sawing.

Even though it showed erratic performance in this study, cant sawing should be given serious consideration because of its low production cost. It is hoped that future study will lead to a method for more nearly optimum cant-size selection. When such a selection system is available, cant sawing will undoubtedly perform better than it did in this study. Here, the arbitrary selection of [(D/2) - 2] for cant size was probably not the best for certain combinations of log size and core defect size. Because in smaller logs the cant method is sometimes the best and sometimes the worst sawing method, it seems desirable in the future to explore its performance on logs down to 8-inch diameter in the hope that proper cant size selection can make it an outstanding performer on small logs. In small logs, cant sawing shows a slight superiority over quadrant and decision sawing when only 1- and 4-inch core

defects are considered (table 25) (fig. 13), but it is still not as good as the live sawing methods. While some of the other methods also showed erratic performance on small logs, there does not seem to be a simple way to improve their performance (at least within the framework of uniform thickness of boards). All sawing methods could undoubtedly be improved by an optimum mix of different board thicknesses, but such an improvement is dependent on a more comprehensive theory of log sawing plus more adequate data on probable defect patterns in real logs.

Orientation of Initial Cut

It seems that the most important decision the sawyer usually makes is the rotational position of the log on the carriage for the first cut. Analyses possible so far seem to support the old rule of thumb "corner the major defects" (i.e., place them near the edges of the sawing faces) for the 4-sided sawing methods. For the live sawing methods a rule of thumb is not as well established, but for a vertical cutting saw it often seems best to place the major defect clusters straight up or straight down if this is possible. This rule cannot be followed blindly, however, as there are numerous instances when placing the major defects at 30° and even at 90° to the vertical orientation has produced the optimum value yield.

Rotational position was important in this study for all sawing methods (tables 13-17) but particularly important for live sawing with an overall average of nearly 16 percent difference between the best and worst initial placement of the log on the carriage. Actual percentages range from a low of 0.4 percent up to a high of

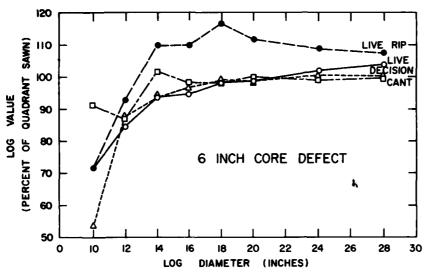


Figure 10.—Lumber values for four sawing methods as percentages of values from quadrant-sawn logs with a 6-inch-diameter core defect.

(M 148 312)

62.1 percent with an average of 11 percent and with over 13 percent of the individual values being above 20 percent (tables 13-16). On a percentage basis, orientation of the initial cut was especially important for the smaller logs.

Because of its potential importance this subject needs considerable additional study to develop better rules for live sawing.

Interactions and Weighting Systems

A review of the bottom of all tables that show means as a percent of a quadrant-sawn log reveals that noticeably different values appear for the same sawing methods. These are not computational or rounding errors but rather a result of following different calculational pathways that give a relatively greater or lesser importance to some factor such as log size, defect size, or dollar value. The differences resulting from these different weighting systems suggest that various important interactions may exist.

The fact that weighting by dollar value yields a slightly different percent-of-quadrant-sawn figure than does giving each log size an equal weight (table 24) suggests there may be an interaction between log size and sawing method (tables 18-21) (figs. 8-11). Above 20 inches in diameter there is not a great deal of variation between the sawing methods for any of the core defect sizes, although live rip seems to average about 7 percent higher than the other methods (tables 19-21) (figs.

9-11). At 16- and 18-inch diameters, live rip ranges from 5 to 17 percent better than quadrant sawing and shows the previously mentioned peak at 18 inches where it is 13.9 percent better than quadrant when values for all four core defect sizes are averaged (table 23) (fig. 12).

In the smaller sized logs (10, 12, and 14-in.) results are somewhat erratic and seem to indicate a three-way interaction between log size, core defect size, and sawing method. For example, live sawing ranges from 30.9 percent above quadrant to 28.5 percent below for 10-inch logs but remains relatively constant in 28-inch logs in going from 1-inch to 6-inch core defects (tables 18-20) (figs. 8-10). In 10-inch logs this same core size differential (1 to 6 in.) causes decision sawing values to drop from about equal to (i.e., 99.6 percent of) quadrant to 46.3 percent below quadrant (tables 18-20) (figs. 8-10). While not quite as spectacular, there are still some rather varied performances on 12- and 14-inch logs. Although some of this variation can be explained in the small logs with large core defects (cull logs that do not saw well by live sawing methods) on the basis of defect geometry, it seems that a more detailed study of small logs will be required to understand the various factors influencing the value yield. On the basis of the current investigation, however, it seems that small logs without excessive core defects should be live sawn followed by reripping for grade (where such reripping is appropriate), but small logs with an excessive amount of core defect should be sawed by some type of 4-sided method.

Live sawing does both its best and its worst in small logs-best when there is a small core defect (table 18) (fig. 8) and worst when there is a large core defect (tables 20 and 21) (figs. 10 and 11). Even live rip does not do too well in small logs with large core defects. If the central core defect is assumed to be rot, then 14-inch and smaller logs with an 8-inch core defect and 12-inch and smaller logs with a 6-inch core defect all have a cull factor greater than 50 percent by the squared defect rule. Because these are exactly the logs that do not saw out very well by live rip, it might be a good policy not to use it on small logs with a central rot column with a cull factor greater than 50 percent. If this central core defect is assumed to be made up of sound defects rather than rot, then the situation is guite different. The \$85/Mfbm assigned to this material is really a compromise value between \$0 for decayed wood and the \$160 to \$170 or more that sound oak pallet lumber might bring. Such a compromise in definition and pricing of the core defect is, of course, not completely fair to either possibility and it is not known whether this compromise biased the study for or against any particular sawing method. In larger logs, the relative value of this defective material is small and the exact pricing procedure probably unimportant. In small logs with a large core defect, however, the defective material is relatively more important and a full understanding of small-log sawing will require the modeling of both sound and unsound core defects with appropriate values for the low-grade lumber produced by each.

The summary values (table 24) deserve special consideration by anyone who wishes to evaluate the overall impact on a sawmill of any change in sawing practice. The weighting system used influences the percent advantage of one system over another. The equal weighting for each log size shows what the advantage of one system over another would be if the same log volume were sawn for each diameter class (a condition unlikely to occur in a real-life sawmill). The weighting by dollar value shows the relationship that would exist if an equal number of logs were sawn within each diameter class (again an unlikely occurence in real life). A sawmiller wishing to evaluate the impact of some change on his own production (for example, changing from 4-sided sawing to live rip) would need to know the distribution of his probable log mix by size and defect type, and apply the appropriate weighting to each subclassification to sum up these weighted values and arrive

at an overall answer for his production.

Gains Due to Thinner Kerf

Sawmillers for years have argued over the exact benefits (or lack thereof) of going to a slightly thinner kerf. If one considers only the advantage of the thickness gained, then going from a 3/8-inch kerf to a 1/4-inch kerf should increase the volume conversion efficiency by 10 percent for 1-inch boards [(1.3750-1.2500)/1.2500 - 10 pct]. In the case of live sawing, the average volume yield gain in going from a 3/8-inch to a 1/4-inch kerf was 10.6 percent (tables 2-4) [(73.2-66.2)/66.2] and 10.9 percent (tables 6-8) [(119.9-108.1)/108.1]. The slight difference is due to the fact that one is weighted according to conversion efficiency and the other is weighted according to percent of a quadrant-sawn log. At least to a first approximation this seems to confirm the 10 percent theoretical figure. There seems to be little to be gained at this time by arguing whether the extra fractional part of a percentage unit is just an expected statistical variation or represents a small contribution from gained width or length in side-cut boards. Perhaps more definitive studies in the future can answer that question.

Glib statements about value gain due to thinner kerf are not so easy to make in a simulation study of this type. In this investigation, the live-sawn logs were assumed to be kerf centered (i.e., the central saw kerf splits the log in half longitudinally). Because this was done with mathematical precision, and because the central cylindrical core defect was also defined with mathematical precision, the exact penetration of the defect into the third or fourth board from the pith was determined by the kerf thickness plus the board thickness.

In the case of the 8-inch core defect, this becomes very critical for the fourth board outward from the pith. With 3/8-inch kerf, the defect does not even touch the fourth board outward whereas with 1/4-inch kerf the defect penetrates the inner face of the board 1/2 inch and produces a defect approximately 2 inches wide (i.e., 1.98 in.) all down the middle of the board. In large logs this degrade is more than compensated for by more and/or larger boards at outer levels, but for 12-inch logs there are no outer full-length boards beyond the fourth, the fifth being a very narrow board approximately 9 feet long. This means that the degrade of the fourth board outward from the pith can be enough to lower the value of a 12-inch log with

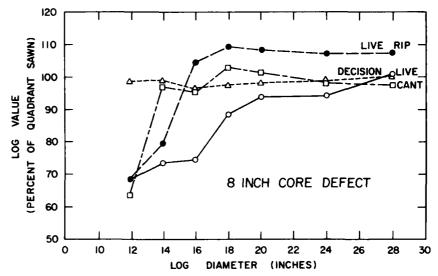


Figure 11.—Lumber values for four sawing methods as percentages of values from quadrant-sawn logs with an 8-inch-diameter core defect.

(M 148 313)

an 8-inch core defect to a lower value for 1/4-inch kerf than for 3/8. That such bizarre results can occasionally occur is shown by the 15-knot 12-inch log (tables 2 and 3) resulting from live sawing and the 30-knot 12-inch log (table 4). Such data can, of course, be misleading. On the average, the value yield of the 1/4-inch kerf sawings exceeded that of the 3/8-inch kerf sawings by 9.42 percent (tables 2, 3, and 4). In all probability, if the saw cuts were referenced with respect to the outside of the log rather than the center of the log, the bizarre results mentioned above would seldom, if ever, occur, but a positive statement to that effect must await further study. In the meantime it is only safe to say that, despite occasional bizarre results for logs with large defective cores, the average increase in lumber value due to narrower kerf is approximately equal to the gain in volume. It is hoped that further study will succeed in specifying sawing conditions that will allow the gain in value to exceed the gain in volume, but at the present this is still only a hope.

While a log-frame saw can cut somewhat thinner, for conditions in the United States, it seems best to assume a kerf no thinner than 5/32 inch (0.156). The accuracy, however, is so good that 1/16-inch oversize would probably be adequate. Such a combination would be approximately the equivalent of a 3/16-inch (0.188) kerf allowance rather than the 1/4-inch allowance made above. Theoretically, cutting 1-inch boards, such a kerf should yield 18 percent more lumber than a kerf allowance of 5/16 + 1/8-inch oversize (i.e. – 0.438 in.

total). If the value yield closely followed this volume yield, then a switch from 4-sided sawing on a circular saw with a 3/8-inch (0.375) kerf allowance to a sash gang plus reripping should yield approximately 26 percent more value (7 pct for live rip plus 18 pct for kerf accuracy [1.07 × 1.18 – 1.2626] savings) than was obtained on the circular saw.

Volume versus Value Yield

When a particular sawing method yields a value different than some other method, the question arises as to whether this was due to a volume difference or a grade difference. Of the 4-sided methods, cant sawing averages 2.4 percent higher in volume but 0.5 percent lower in value while decision sawing averages 0.9 percent lower in volume and 2.4 percent lower in value than quadrant sawing (table 22). These small percentages are probably of little, if any, significance as variations nearly as large can be caused by different weighting systems (compare percent quadrant averages in table 22 with those in tables 23 and 24). The volume advantage of 7.9 percent for live sawing did not support a like value advantage but rather a 1 percent disadvantage. Live sawing results confirm that it performs rather poorly on large core defects, especially in small logs. In these low-grade and cull logs, live sawing must be producing low-grade lumber because its value yield falls so far short of its volume advantage. While

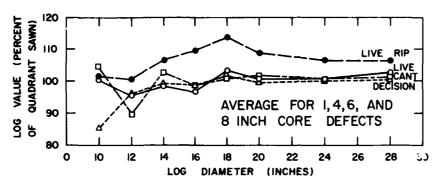


Figure 12.—Average lumber values for four sawing methods as percentages of values from quadrant-sawn logs of 1-, 4-, 6-, and 8-inch-diameter core defects.

(M 148 314)

live rip approximates its 6.6 percent volume advantage with a 6.1 percent value advantage (table 22), this is probably just a statistical accident: live sawing approximates its 7.9 percent volume advantage (table 22) with an 8.1 value advantage (table 25) while live rip exceeds its 6.6 percent volume advantage (table 22) with an 11.2 value advantage (table Because a recent mill study⁴ showed that a majority of logs had core defects ranging from 1- to 4-inches, table 25 has been limited to such logs. In these logs, live sawing methods perform much better in grade production than they did with the larger core defects. Thus, unlike a volume increase due to kerf reduction where value at least approximates volume change, a volume change brought about by changing the sawing method gives no assurance that a like change in value will occur. The value change, if any, will largely depend on how the sawing method interacts with the defect pattern to produce the various grades of lumber.

⁴ Richards, D. B., and Newman, J. A. 1979. Value yield from medium- and low-grade red oak logs. Unpublished file report. Forestry Dep., University of Ky., Lexington, Ky.

Confirmation in Sawmill Studies

Because this study is based on simulated rather than real logs, it is a matter of considerable importance to see if similar results are obtainable in a real-life sawmill. The work of Peter (18) on yellow-poplar (Liriodendron tulipifera) indicates that live sawing often exceeds 4-sided sawing in value, but exact comparison with the present work is difficult because yellow-poplar grades are quite different from standard grades. The work at the Canadian Eastern Forest Products Laboratory on hard maple (Acer saccharum) is of special interest (17, 20). Because they give no

detailed description of the extent of heart defects, it is difficult to compare their work to specific core defect sizes in this study, but it is still of considerable interest that their best logs (F1,~17 in. in diameter) gave live sawing a 13 percent value advantage over 4-sided grade sawing, that their medium-quality logs ("high line" F2, ~14 in. in diameter) gave live sawing a 6 percent and live rip a 54 percent value advantage over 4-sided grade sawing, and that their poorer logs (F3, ~11in. in diameter) gave 4-sided grade sawing a 6 percent value advantage over live sawing but live rip a 24 percent advantage over 4-sided grade sawing. While their values are not identical with the current study (and their 54 percent advantage for live rip is surprisingly high), their figures still support the poorer showing of live sawing as the log quality declines, and the need to rerip the live-sawn boards for grade to gain the true potential of live sawing.

A sawmill study on high-quality red oak logs (26) in general confirms the current computer study by giving a value advantage of 8.8 percent for live sawing and 14.1 percent for live rerip over 4-sided grade sawing for 18-inch logs. While not identical, these are somewhat similar to the 18-inch value advantages of 3.1 percent for live sawing and 13.9 percent for live rip in the current computer study (table 23) and very similar to the values (table 25) of 8.1 percent for live sawing and 11.2 percent for live rip. A second sawmill study on smaller sized medium- to low-quality red oak logs is currently underway. Although still incomplete, this second sawmill study seems to be giving at least general support to the computer study, with an 8 percent advantage for live sawing and a 16 percent advantage for live rip over corresponding grade sawing.

Because the sawmill studies often indicate a somewhat greater advantage for live sawing than does the current computer

study, this fact deserves some attention. The current study was designed to gain information rather than to promote some particular sawing method. Because it was suspected that live sawing might have trouble with large core defects, these large defective cores were included to test that idea. The sawmill studies probably included few if any logs with 6- and 8-inch cores that yielded no clear cuttings. When these large defective cores are eliminated from the data and only the 1and 4-inch defective cores used, the live sawing methods perform more nearly in accord with the sawmill studies (table 25) (fig. 13). Another reason for the difference is that the reripping procedure used in the computer study was not an optimum one and careful reripping in a closely controlled sawmill study is probably much closer to optimum than was the fairly mechanical procedure used in the computer study.

As the evidence is accumulating that live sawing (at least if followed by skillful reripping) yields more value from most hardwood than does 4-sided grade sawing. a question of considerable importance is why sawmills in the United States have failed to discover this by empirical studies. There are probably three reasons for this failure: there is a tendency to think of live sawing as a low-cost method incapable of producing high grade and hence only useful on small low-grade logs-exactly those logs where it may perform rather poorly; there is a tendency for sawmills to evaluate performance based on dollars per thousand feet of output, a practice which completely ignores the higher grossvolume yield per log from live sawing; perhaps most importantly, live sawing is very dependent on skillful edging and ripping for grade. These skills are often not available in the typical hardwood mill and, even if they are available, one edgerman probably cannot keep up with a high volume of live-sawn boards. For live sawing to attain its potential there must be a reordering of priorities in a sawmill. The edgerman becomes the most important worker on the floor of the mill and should be trained and paid accordingly. For any very high production operation, there should probably be two edgers and two well-trained edgermen.

Several studies have suggested that live sawing may produce more profit than grade sawing but largely because of higher production rates (and hence lower costs) rather than because of a much higher value of lumber produced from a log (10, 11, 15). In fact, several of these studies indicate certain conditions where live sawing may produce less lumber

value than grade sawing. These studies in general allowed the sawmill to do its edging in the conventional way using their regular edgerman. Thus these studies may offer evidence in support of the third reason above for the failure of sawmills to discover the advantage of live sawing. If a hardwood sawmill edges in the conventional manner, it usually edges too severely and loses considerable value. Because only some boards are edged by the edgerman in grade sawingwhereas all boards are edged by the edgerman in live sawing-there is likely to be more loss in edging in live sawing than in grade sawing in a conventional mill unless there is a complete retraining of the edgerman. The fact that live sawing is hurt by poor edging practices and helped more by good edging practices than is grade sawing may explain some of the low-valued yields for live sawing in some past mill studies. In general, however, the literature indicates that live sawing hardwood logs yields more value than does 4-sided grade sawing (2-7, 10, 12, 17, 18. 20-23. 25. 27. 28).

Production Costs and Lumber Prices

While this study has been concerned with value, it is not, strictly speaking, an economic study as there has been no evaluation of production cost. At least for small- and medium-sized logs, live sawing will have a somewhat lower production cost at the headrig even for a conventional mill (3, 10, 11, 15, 19) and considerably lower cost than 4-sided sawing if a logframe saw is used. Edging costs will probably be higher for live sawing than for 4-sided sawing because all boards must be edged at the edger. Just what the balance between these opposing factors will be must await production studies in various types of mill setups, but it seems likely that live sawing will prove to be a considerably lower cost overall production method in a properly designed and operated mill than is 4-sided sawing; this will be especially true in an automated log-frame saw mill.

The assumption throughout this study is that standard prices will prevail for all sawing methods. There are certain conditions where this assumption may not be true. In species where sapwood and heartwood are priced differently, live sawing—by mixing these two in most boards—may cause problems that will either lower the average price or else entail an excessive amount of reripping. Species such as maple and sweetgum (i.e., sapgum plus redgum) may fall into such a class.

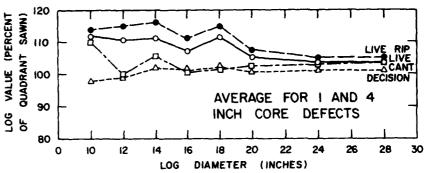


Figure 13.—Average lumber values for four sawing methods as percentages of values from quadrant-sawn logs of 1- and 4-inch-diameter core defects.

On the other hand, species in which a ray fleck, ribbon stripe, or comb grain is desirable may at times pay a rather substantial premium for these grain patterns. Ring-porous species (especially oak) and those with an interlocked grain (and hence a potential for ribbon stripe) fall into this classification. While live sawing is not designed to produce the maximum amount of radial (i. e., quartered) grain, it does produce a great deal more of it than does 4-sided sawing (17) which produces mainly tangential (i.e., flat) grain. For such species (particularly oak, for which there is a premium market for comb grain stock) there might be a price advantage to live sawing. Such consideration would have to be evaluated for each species and each market area. It should also be noted that live-sawn lumber may offer some problems in a rough mill if the workers are not used to handling it (19).

Summary and Conclusions

Hardwood sawlogs with various-sized core defects and with two different quantities of hidden and surface knots were simulated on an electronic computer as truncated cones with standard log taper. These simulated logs were sawed by simulation using live sawing and various 4-sided sawing methods including a decision method that simulates the decisions of a skilled sawyer. Except for some erratic behavior in 10- and 12-inch logs, the 4-sided sawing methods (quadrant, cant, and decision) tended to yield similar values. Live sawing was moderately effective in good logs but inferior to the 4-sided methods in small logs with large core defects. Live sawing followed by reripping for grade (live rip) outperformed the 4-sided sawing methods by an average of 7 percent and for the 16- and 18-inch

size classes in average or better logs outperformed them by about 16 percent. The rotational position on the carriage for the first cut was important for all sawing methods with the best position outperforming the worst by as much as 62 percent and averaging 11 percent. Reducing the saw kerf from 3/8 to 1/4 inch increased the volume yield by slightly over 10 percent and, despite a few bizarre but explainable counterinstances, increased the value yield on the average by nearly the same amount.

While sweeping generalizations will have to await additional supporting studies in real sawmills, the evidence thus far indicates there is considerable value to be gained by live sawing hardwood logs that do not have an excessive amount of heart rot or other large core defects. To gain the full potential of live sawing, the central wide boards must be skillfully reripped for grade. Failure to perform well at this reripping task can lead to a disappointing value yield from live sawing.

Log-Frame Headsaws

A decision to live saw would allow the use of a log-frame headsaw. The advantages of a log-frame over a conventional heading include a high production at a low cost in both money and man-hours, thin kerf, good accuracy in cutting, relatively modest demands for skill in the head sawyer, the unique ability to follow the curve in a log with a moderate amount of sweep, and a materials flow system that is well adapted to automation. Its disadvantages are high initial cost, need for a heavy permanent foundation, demand for a large volume of logs to keep it busy, lack of flexibility in sawing pattern and hence the necessity for careful log sorting, the high demand it places on the edging operation with respect to both volume output and high technical

skill in reripping for grade, and the inability to handle the very large diameter logs that still show up in small numbers at hardwood sawmills. While no general recommendations can be made at this time, it does seem that if the cost of

logs and labor continues to rise as it has in the past, the use of a log-frame saw on hardwoods will probably look more and more attractive. The crucial question is the availability of a sufficient supply of

hardwood timber within reasonable hauling distance of the mill. If such a supply is available, then serious consideration should be given to the use of a log-frame saw on hardwoods.

Table 1.—Volume¹ and value yield of 12-foot hardwood logs, with a centrally located 1-inch-diameter cylindrical core defect, sawn with a 3/8-inch kerf into 1-inch boards

Diam-	Knots	Rota- tional	Quad	Irant	Ca	nt	Deci	sion	Liv	e²
eter	per log	posi- tion ³	Volume	Value	Volume	Value	Volume	Value	Volume	Value
ln.			%	\$/log	%	\$/log	%	\$/log	%_	\$/log
10	15 30	B M W B M	54.1 54.1	15.59 13.81 12.49 9.25 7.92	56.1 56.1	16.44 15.41 13.50 10.46 9.21	53.5 53.5	15.07 13.76 12.11 9.91	61.4 61.4	19.17 18.48 17.46 11.28 9.96
		w	34.1	6.67	30.1	7.64	30.0	7 09	.	7 96
12	15	B M W	57.5	31.30 29.71 28.34	59.2	28.39 27.39 26.17	57 1	28 71 28.01 27 19	64 1	34.92 33.66 31.98
	30	W B M W	57.5	21.73 20.52 17.82	59.2	23.38 21.71 20.28	57.1	23.01 21.52 19.93	64.1	26.87 23.25 19.08
14	15	B M W	61.4	39.77 38.15 35.06	63.1	41.39 39.65 36.99	60.8 60.8 60.6	42 29 39.77 37.78	66.0	47.27 45.70 44.78
	30	B M W	61.4	33.36 30.89 29.35	63.1	36.02 33.53 31.92	60.8 60.8 60.5	35 00 32 40 30 42	66.0	37.52 34.52 30.56
16	15	B M W	62.1	56.46 53.82 52.53	62.3	55.58 53.90 52.14	62.1 61.9 61.6	55.20 53.90 52.07	66.6	62.45 60.85 59.64
	30	W B M W	62.1	48.58 47.08 45.48	62.3	50.31 48.00 46.42	62.1 61.9 61.0	52 53 48.19 45.20	66.6	52 50 48 69 42 96
18	15	B M W	60.4	69.22 68.04 65.98 61.70	63.0	73.64 70.99 68.95	60.4 59.7 59.0	72 57 70 28 65.00	66.0	79 40 77 58 75 55
	30	В М W	60.4	61.70 58.68 56.38	63.0	62.61 60.78 57.21	60 4 59 7 59.0	60 42 59.68 58.98	66 0	58 53 64.63 60 39
20	15	В М W	63.7	92.27 89.83 87.58	65.3	96.51 94.87 92.73 87.11	63.3 62.8 61.9	92.59 89.43 87.14	67 7	101 94 97 54 94 39
	30	B M W	63.7	83.20 79.40 75.54	65.3	87.11 83.73 80.72	63.5 63.2 62.2	84.94 81.09 75.94	677	85 37 79 90 73 42
24	15	B M W	65.1	137.37 135.67 133.93	66.4	142.93 140.51 136.81	65.0 64.6 63.8	138.46 135.97 132.29	68.5	148.29 144.38 141.73
	30	W B M W	65.1	124.62 121.32 118.50	66 4	130.29 126.82 123.36	65.0 54.0 62.5	127 12 124 08 121 45	38.5	128 55 122 07 112 11
28	15	B M W	66.4	193 95 188 05 185 41	67 2	200.52 196.83 193.48	65.9 64.5 63.0	194 42 188.86 184.59	69.2	203.87 200.00 195.41
	30	B M W	66.4	177 50 174 10 170 65	67 2	187.59 181.87 175.53	65.9 64 8 63.0	183.01 179.10 174.45	69.2	190 57 175.22 164.95
ean of me	ans		61.3	72.30	62.8	75.33	60.6	73 37	66.2	77 28

¹Expressed as percent of solid cubic volume of log.

²Live rip was omitted because all values were identical to live sawn values.

³B = Best, M = Mean, and W = Worst of the 12 rotational positions from 0° to 165° for the plane of the initial saw cut.

Table 2.--Volume¹ and value yield of 12-foot hardwood logs, with a centrally located 4-inch-diameter cylindrical core defect, sawn into 1-inch boards

	, age	Rote					3/8-In-	3/8-inch kert						1/4-Inc	1/4-inch kerf	
ę š	<u> </u>	tone Poet	Quadrant	rent.	Cant	7	Decision	Blon	Live	9	Live	ē	LIVE	•	LÍVe	đ
	•	505	Volume	Value	Volume	Value	Volume	Value	Volume	Value	Volume	Value	Volume	Value	Volume	Value
٤			*	\$/100	*	8 √10g		\$/109	3e	\$/log	%	\$/log	*	\$/log	*	\$/100
100	\$	∞≥ ≩	333	13.78 12.65 11.89	***	15 07 13 11 14		12 79 12 00 19 91	6 4 4 4 4	1, 16 1, 00 1, 00	282 400	12 52 11 45 10 61	52.5	15 17 13 64 11 98	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	16 77 14 92 13 58
	8	ω≱≩	222	843 766 667	888	9 62 8 59 7 10	888 888 888	8 09 7 47 6 56	6 4 4 4 4 4 4	8 94 7 52 6 73	28.82.2 4 ± 5.5	8 8 02 8 7 8 7	102	0. 9. 8. 8. 8.	70 1 69 3 69 0	12 06 10 73 9 67
120	ž.	œ⊋≩	575 575 575	25.35 25.36 58.69	59.2 59.2 59.2	26.69 25.87 25.21	57.1 57. 57.		222	888 2707 2707	888 888	28.2.82 28.2.93 28.2.93	70 6 70 6 90 7	27.35 26.57 25.58	8 8 8 8 8 8 8 8 8	28 28 27 27 27 27 27 27 27 27 27 27 27 27 27
	æ	@ ≱}	57.5 57.5 57.5	20.81 19.94 17.82	59.2 59.2 59.2	22 24.32 20.23	57.1 57.0 56.9	282 845	222	22 28 35 36 36 36 36	333 746	828 858	00 00 00 00 00 00 00 00 00 00 00 00 00	22 50 20 97 17 92	70.2 69.8 69.8	23.55 23.55 29.75 29.75
140	ž.	∞≥ }	6 4 4 4 4 4	88.82 27.82 8.83	28.88 1.18 1.18	36.73 36.73	8688 87.8	36 74 34 57 37 54	96 96 0 0 0 0	39 87 39 87 34 84	88.88 0.88.4	25.5 20.8 20.8	716 716 716	47.57 42.30 37.97	716 712 710	844 885
	8	@≥}	8 4 4 4 4 4	28 35 28 55 28 55	888 		888 888	32 41 29 72	9999 9999	34 42 31 17 27 76	65 8 65 5 65 4	28 82 22 53 32 54	7.7.7 9.7.6 9.7.6	32.58 28.58 28.58 28.58	77.00	3.08 8.58
160	ž.	© ≥3	262	8828 884	623 623 623	52 00 50 96 49 59	62 1 61 9 6 1 6	52.98 51.02 48.66	888 888 888	59 82 57 32 51 47	988 865 865 865 865 865 865 865 865 865 8	55 88 37 55 87 81 37	72.5 72.5 72.5	67 61 64 46 59 73	72.5 72.4 72.1	67 61 65 92 64 07
	8	∞≥ }	262	45 45 43 44 33 35	623 623 623	47 76 46 12 44 98	6.66 6.09 6.09	48.29 43.07	88.88 88.88 88.88	50 91 45 72 42 96	4 6 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	55.33 51.93 49.61	72.5 72.5 72.5	57.93 88.69	723 721	25.52 27.53 27.53
0.81	ž.	@ ≥≥	888 444	68.88 88.88 88.88	8888 880 800	65 26 63 26 63 00	00 00 00 00 00 00 00 00 00 00	88 88 88 53 86 53	388	78 12 76 03 72 47	888 850 7	78 26 27 25 25 25 25 25	74.2 74.2 74.2	88.35 85.01 79.64	74.2 74.1 73.8	88.85 86.83 86.83
	8	@ ≱}	388 444	388 888	888 000	90 54 24 70 89 69	00 00 4 8 0 0	26.88 1.88	888 000	67 77 61 80 57 06	659 657 7	72.37 69 15 1	74.2 74.2 74.2	75 11 68 30 62 75	24 0 8 6 7 8 8 6 7	75.35 75.36 57.57
8	ž.	∞≥ }	333	89 87 54 72	653 653 653	98 82 96 34 55 85	6883 883	88 83 17 17 17 18 18 18 18 18 18 18 18 18 18 18 18 18	67.7 67.7 67.7	582 328	67 7 67 5 67 4	10 10 10 10 10 10 10 10 10 10 10 10 10 1	75.0 75.0 1.27	5.50 S	75.1 74.8 74.8	25.05 26.05
	8	∞3 }	888 777	55 55 52 55 53 55	653 333	81 79 77 67 88 88	888 888 888	28 8 5 24 24 32	67 7 67 7 67 7	85.37 78.65 73.42	67 5 67 4 67 4	9.78 37.78 90.30	75.1 75.0 75.1	28.85 7.88.74	74.9 74.8 8.45	26.38 38.37 58.53
240	55	ω≱≩	888 222	135.25 133.36 13.161	888	139 18 135 61 133 11	888 0 7 8	135 75 133 87 129 55	88.88 8.88.88 8.88.88	146 09 142 49 139.20	28.28 8.46 8.46	341 242 260 260 360 360 360 360 360 360 360 360 360 3	75.4 75.3	159 13 155.86 151 15	75.2 75.2 75.2	159.39 156.36 15.61
	8	m2 }	222 222	22 28 28 28 28 28	888 444	127 44 123 97 11 9 11	650 625 625	126.52 120.98 120.99	25.25 25.25 25.25	127.27 119.92 110.40	88.88 4 tt ti	138.20 128.20 128.20 138.20	75.3 75.3 4 6.5	38.55 28.88 28.88	75.2 75.2 75.1	5.55 5.55 5.55 5.55 5.55 5.55 5.55 5.5
0 8 2	ž	02 }	222	282 282	67.2 67.2 67.2	96 08 191 25 0 10 10	8.28 8.85	188.91 185.09 07.971	66.2 66.2 66.2 66.2 66.2 66.2 66.2 66.2	7.105 17.09 18.49 14.40	888 21-	202.41 199.20 195.63	76.1 76.1	220 48 215 01 208 44	26.00 20.00 20.00	221 12 216 45 210.10
	8	⊕ ≱}	888	25 55 25 55 26 55	67.2 67.2 67.2	183 99 27 871 173 31	888 820 820	183.01 178.03 174.45	89 68 89 75 75 89 68 68	186.24 175.55 165.85	288 	188.93 185.15 181.87	55.55 1.15.75	198.24 188.33 180.13	26.0 2.00 2.00	207 71 200 81 194 97
Meen of meens	E		613	70 99	62.8	72.22	60.7	71 38	66.2	74.30	65.4	77.93	73.2	81.29	72.8	81 28

Expressed as percent of solid cubic volume of log ¹8 = Beat, M = Mean, and W = Worst of the 12 rotational positions from 0" to 165" for the plan of the milks sere cut.

Expressed as percent of solid cubic volume of log 89 - Beat, M. - Mean and W. - Worst of the 12 rotational positions from 0° to 165° for the plan of the initial soles cut.

Table 4.--Volume1 and value yield of 12-foot hardwood logs, with a centrally located 8-inch-diameter cylindrical core defect, sawn into 1-inch boards

	, afort	Rote					3/8-inch kerf	h kerf						1/4-inch kerf	h kert	
	<u>8</u> 8	posi-	Quadri	frant	Cant	1	Decision	sion	Live	9	Live	ē	Live		Live rip	횬
	,		Volume	Value	Volume	Value	Volume	Value	Volume	Value	Volume	Value	Volume	Value	Volume	Value
Ę			*	\$/log	*	\$/log	%	\$/log	%	\$/109	%	\$/log	%	\$/log	%	\$/log
12.0	S t	ω≥≯	57.5 57.5 57.5	18.12 17.71 17.63	59.2 59.2 59.2	13.75 11.57 10.48	57.1 57.1 57.1	16.91 16.85 16.84	222	12.22 11.77 11.24	222	12.22 11.77 11.24	70.6 70.6 70.6	13.43 11.80 9.91	0.05 0.05 0.06 0.06	13.43 11.80 9.91
	8	∞≥≩	57.5 57.5 57.5	15.38 13.98	59.2 59.2 59.2	10.48 9.54 9.19	57.1 57.1 57.1	16.21 15.84 15.72	222 222	11.73 10.86 9.94	222	11.73 10.86 9.94	70.6 70.6 70.6	5.50 8.80 8.80 8.80	70.6 70.6 8.6	12.26 10.68 9.59
14.0	2	∞≥≩	61.4 61.4 61.4	31.17 30.27 29.23	88.88 1.1.1.1.	30.38 29.10 28.06	8.09 60.8 8.09	30.05 29.51 29.02	0.99 0.099 0.099	23.52 22.03 19.72	65.4 64.9 64.4	24.98 23.74 21.56	71.6 71.6 71.6	22.53 22.53 22.53	8.69 8.69 8.69	33.08 29.23 29.23
	8	ωΣ≩	61.4 4.10 4.10	28.45 27.30 26.06	888 11.1.1.1.1.1.1.1.1.1.1.1.1.1.1.1.1.1	28.64 26.76 23.89	8.09 8.09 8.09	28.77 27.46 26.54	96.0 66.0 66.0	21.95 20.45 16.40	64.6 4.6 4.6 4.6	23.52 22.19 19.71	71.6 71.6 71.6	22.64 20.61 17.93	70.4 70.2 69.8	25.80 23.71 23.52
16.0	5	ω≥≯	25.25 1.1.1	45.81 44.69 43.34	62.3 62.3 62.3	44.59 42.34 39.79	62.0 61.8 61.6	43.75 42.74 41.13	9.99 9.99 9.99 9.99	32.45 30.54 30.55	28.22 1.1.1.	47.89 46.46 43.47	72.5 72.5 72.5	42.09 40.21 37.87	71.2 71.2 71.2	53.64 49.96 49.98
	8	ω≥≯	22.23 1.12.12	42.95 40.47 39.09	62.3 62.3 62.3	40.77 38.90 37.37	62.1 61.9 61.6	41.61 39.48 36.85	9.99 9.99 9.99 9.99	32.40 30.85 29.04	64.3 64.3 64.3	42.84 39.89 89	72.5 72.5 72.5	38.51 34.53	71.4 71.3 71.2	48.70 47.59 46.62
18.0	5	ω≥≩	888 444	59.53 59.23 58.12	888 000	62.97 61.09 59.87	60.3 60.2 60.1	58.44 57.63 56.01	66.0 66.0 66.0	53.35 49.53	65.3 64.4 64.2	69.11 64.03 61.68	74.2 74.2 2.5.5	59.61 55.95	73.3 73.1	73.43 71.69 07.89
	8	ωΣ≯	86.88 4.44.4	55.53 53.92 51.88	83.0 0.00 0.00	57.28 55.55 53.01	60.4 60.3 60.1	54.35 53.03 51.81	66.0 66.0 66.0	51.40 47.28 43.53	64.3 64.3 64.3	63.23 56.89 56.60	74.2 74.2 74.2	57.84 54.63 18.18	25. 1.57. 1.67.	69.37 66.23 62.51
90.0	51	∞≥≥	88.7 7.88	82.29 77.73	65.3 65.3 3	82.83 81.13 79.67	63.2 63.1 63.0	90.00 78.58 77.29	67.7 67.7 67.7	85.10 79.86 75.89	67.1 66.7 66.2	93.49 88.60 86.14	75.1 75.0 75.1	96.98 83.96 4.	74.3 74.3 74.2	100.93 97.84 95.21
	8	∞≥≥	7.88 7.78	78.33 74.71 70.22	65.3 65.3 3	77.69 76.12 74.96	63.2 63.2 63.1	77.25 73.87 71.63	67.7 67.7 67.7	69.46 65.76 63.20	67.1 66.4 86.2	81.98 79.56 77.46	75.1 75.0 75.1	76.16 73.34 70.30	74.5 74.2 74.2	88 88 87 88 88
24.0	51	ωΣ≯	888	128.73 127.09 124.22	88.88 4.4.4.4	125.73 123.96 122.76	84.7 84.7 8.7 8.5 8.5	126.44 124.42 123.10	68.5 68.5 5.5 5	124.72 121.50 115.27	68.1 67.6 67.4	137.08 135.06 131.39	75.4 75.3 75.4	136.67 132.15 126.34	74.9 74.8 74.7	150.60 147.85 144.09
	8	©≥ ≩		119.43 116.88 113.69	8888 4444	118.94 115.94 111.76	0.83.0 0.83.0	119.12 116.84 114.19	68.5 68.5 5.5 5.5	112.09 108.95 101.43	68.1 67.6 67.4	130.09 126.53 118.56	75.4 75.3 75.4	121.78 117.87 111.86	74.8 74.7	139.34 135.54
28.0	\$1	m≥≯	888 4444	183.33 180.36 175.44	67.2 67.2 67.2	179.63 175.78 172.80	65.9 65.7 65.4	181.98 178.83 173.85	69.2 69.2 69.2	199.44 189.62 174.41	68.88 68.88 68.68	199.77 195.33 190.88	76.1 76.1 1.05	216.28 205.80 167.18	76.1 75.7	216.90 211.94 204.97
	8	ω≥≯	888 444	175.04 170.99 167.26	67.2 67.2 67.2	172.89 167.02 162.45	65.8 65.7 65.6	176.50 173.17 170.93	69.2 69.2 69.2	177.12 165.26 156.14	68.88 ± 8.4.	186.32 182.32 178.09	26.1 1.65 1.1.1	189.09 178.26 172.77	76.0 75.8 7.37	291.28 198.12 18.08
Mean of means	2		62.4	74.23	83.8	72.49	61.9	73.44	6.99	68.61	65.8	77.80	73.6	75.12	72.8	85.68

Expressed as percent of solid cubic volume of log. ²B = Best, M= Mean, and W = Worst of the 12 rotational positions from 0° to 165° for the plane of the infial saw cut.

Table 5.—Volume¹ and value yield of various sawing methods¹ for logs 12 feet long, with a centrally located 1-inch-diameter cylindrical core defect, sawn with a 3/8-inch kerf

Diam-	Knots	Rota- tional	Ca	nt	Deci	sion	Liv	e ²
eter	per log	posi- tion ³	Volume	Value	Volume	Value	Volume	Value
in.			%_	\$/log	<u>%</u>	\$/log	<u>%</u>	\$/log
10	15	B M W	104	106 112 108	99	97 100 97	114	123 134 140
	30	B M W	104	113 116 115	99	96 99 106	114	140 122 126 119
12	15	B M W	103	91 92 92	99	92 94 96	112	112 113 113
	30	B M W	103	108 106 114	99	106 105 112	112	124 113 107
14	15	8 M W	103	104 104 106	99 99 99	106 104 108	108	119 120 128
	30	W B M W	103	108 109 109	99 99 99	105 105 104	108	113 112 104
16	15	В М W	100	98 100 99	100 100 99	98 100	107	111 113 114
	30	B M W	100	104 102 102	100 100 98	99 108 102 99	107	108 103 95
18	15	B M W	104	106 104 105	100 99 98	105 103 99	109	115 114 115
	30	B M W	104	102 104 102	100 99 98	98 102 105	109	111 110 107
20	15	B M W	103	105 106 106	99 99 97	100 100 100	106	111 109 108
	30	8 M W	103	105 106 107	100 99 98	102 102 101	106	108 103 101 97
24	15	В м	102	104 104 102	100 99 98	101 100 99 102	105	108 106 106 103
	30	W B M W	102	105 105 104	100 98 96	102 102 102	105	103 101 95
28	15	8 M W B	101	103 105 104	99 97	100 100 100	104	105 106 105
	30	B M W	101	106 105 103	95 99 98 95	103 103 102	104	107 101 97
en of mean	s		103	105	99	101	108	111

^{*}Expressed as percent of a quadrant-sawn log of identical size and knot location.
*Live rip was omitted because all values were identical to live sawn values.
*B = Best, M = Mean, and W = Worst of the 12 rotational positions from 0° to 165° for the plane of the initial saw cut.

U.S. Forest Products Laboratory.

Lumber values from computerized simulation of hardwood log sawing, by D. B. Richards, W. K. Adkins, H. Hallock, and E. H. Bulgrin, Res. Pap. 356 FPL, For. Serv., USDA. 29 p. Madison, Wis.

Somputer simulation sawing programs were used to study the sawing of mathematically modeled hardwood logs 10 through 28 inches in diameter by the live sawing and three 4-sided saving methods. All 4-sided methods gave similar lumber values. Jive sawing followed by live ripping, a live sawing refinement in which center-sawn boards are ripped, produced the highest lumber values in almost all cases.

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Somputer simulation sawing programs were used to study the sawing of mathematically modeled hardwood logged through 28 inches in Hameter by the live sawing and three 4-zifed sawing methods. Til 4-sifel methods provintiar lumber values. Live sawing followed by 11% righing, a live sawing refinement in wich contextuans toards are ripped, produced the dignest lumber values in almost all sases.

U.S. Forest Products Laboratory.

Lumber values from computerized simulation of hardwood log sawing, by D. F. Richards, M. H. Adkins, H. Hallock, and E. H. Bulgrin, Pes. Faj. 356 FPL, For. Gerv., MEDA. C. P. Badison, Mis.

'omjuter simulation sawing programs were used to study the saxing of mathematically modeled hardwood logs to through 10 inches in Hameter by the live saxing and three basing and three ratios. Live sawing followed by live righting, a live crains refinement in which center-rawn bounds are right, produced the higher lumber value of almost all earer.

Table 6.—Volume and yield of various sewing methods" for logs 12 feet long, with a centrally located 4-inch-diameter cyfindrical core defect

Case		*	ş				3/8-inch kerl	re-					1. E.	1.4-inch kerf	
	į	1.5		3	1	Deck	l log	5	3	Live	ا و	3		3	Đ
				Volume	Vetue	Volume	Velue	Volume	Value	Volume	Value	Volume	Vatue	Volume	Vetre
### ### ### ### ### ### ### ### ### ##	.			*	S S	*	\$/log	.	\$/109	*	S No	3 8	Slog	*	\$/log
	00	ž	•	ş	9	8	8	=	28	114	5	5 <u>5</u>	0:	82	,22
### ### ### ### ### ### ### ### ### ##			33	ទ្ធខ្ម	ž8	\$8	% &	:	æ æ	និទិ	ō 8	ទិទិ	8 5	Š.Š	0 7
		8	02 3	ទីទីទី	4.5.6	888	8 69	777	8 8 5	<u> </u>	ឱ្	888	ម្ពង់ខ្	មិនីនិ	និទិនិ
	120	ž.	© ₹ € Ø	និនិនិ	និនិនិ	***	868	525	8 - 8	500	3 6 6 6	222	ទិនិទិ	555	200
		8	03 }	និ និនិ	<u> </u>	***	₽ <u>₽</u>	211 221 221	និនិន	: E E E	22 215 811	222	2 555	\$ 2 5	123
	0	ā	œ23	និនិនិ	ននិនិ	8 8 8	%%ខំ	\$88	901 901 101	8 0000	9 <u>1</u> 2 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	555	25. 50.	7116	285
1		8	02 }	និនិនិ	0.00 0.00 0.00 0.00 0.00 0.00 0.00 0.0	***	ទិនិទិ	និនិនិ	ន្តិភូន	0 0 0 0	123 118 112	1117	111 701 79	6 6 6 6	¥¥.
10 10 10 10 10 10 10 10	9	ā	02 }	888	688	5 5 8	886	701 701 701	511.00	6 6 6	113	111	88.	117	% % %
10 10 10 10 10 10 10 10		8	02 3	ទិទិខិ	និទិទ្ធិ	3 8 8	ទិនិន	70 70 70	5 5 8	0 0 0 0	911	117	83.55.52	5 6 7	ង់និនិ
10	0	ā.	02 }	<u> </u>	888	888	ឆ្ន ិខ្	888	115 115 112	និនិនិ	116 116 117	និនិនិ	E 225	និនិនិ	E 82.5
15		8	0 2}	호호호	885	588	ខ្ តិខ្	និទីខ្	21. 20. 10.	និទិទិ	85 91 91	និនិនិ	\$5E	ន់ន់ន	충분장
10	8	æ	02 }	និនិនិ	***	886	88.66 88.76	8 8 8 8	400	និនិនិ	¥::5	3.5.5 5.5.5	និនិនិ	1100	និនិនិ
10 102 103 103 103 103 103 103 103 103 104 105 104 105 104 116			03 }	និនិនិ	828	588	និនិទិ	555	<u>តិ</u> 8%	និនិនិ	255	555	<u> </u>	118 717 717	ន់និង
102 103 103 104 105 105 105 105 105 106 116	2	ā	03 }	និនិនិ	89 5	588	§§ 8	និនិនិ	2 00.00	និនិនិ	<u>9</u> 70 20	5 5 5 6	511 715	31 31 31 31	85. 51.
10 102 99 99 104 105 104 106 115 1		R	03 }	និនិនិ	889	588	និនិនិ	និនិនិ	និឌន	និនិនិ	8 .6	35. 36. 36.	01. 60 1 701	5 5 6 8 7	55. E.
8 101 104 99 103 104 105 104 106 115 112 114 114 115 100 110 110 100 110 110 110 110 110	ŝ	ā	023	555	និនិនិ	868	888	호호호	និនិនិ	ទិទិទិ	<u>8</u> 00.00	81. 81.	51. 51. 51.	511	555
102 5 102 6 98 9 100 100 100 100 100 100 100 100 100 1		8	65 2	222	ទិនិនិ	88 8	និនិនិ	호호호	8 <u>5</u> 29	şşş	20 20 20	55 5 5 5 5 5	5.88	===	555
	The of man	_		201	9 201	8	000	8	070	7 901	9011	9611	9 * 1	9811	1221

Expensed as percent of a quadrant-seen by of dentical ace and test location.

See East, M. F. Hann, and W. - Worst of the 12 resistant pressure from 0° to 165° for the plan of the selection of the selection.

Table 7.—Volume¹ and value yield of various sawing methods for 12-foot hardwood logs, with a centrally located 6-inch-diemeter cylindrical core defect

1,	į	Knoth	\$				3/8-inch ker	Ē			ı	i	# * /	1/4-inch kerf	
1.	į	18	2 d	3	E	Deck	Hon	A	•	2	ē	Live		Live rip	9
1,		•	non	Volume	Velue	Volume	Vatue	Volume	Vatue	Volume	Value	Valume	Vetue	Volume	Vatue
3. 1 3. 1 <t< td=""><td>É</td><td></td><td></td><td>32 </td><td>\$Vog</td><td>*</td><td>\$ log</td><td> * </td><td>\$vlog</td><td>×</td><td>\$/log</td><td>*</td><td>\$/100</td><td>*</td><td>Boys</td></t<>	É			3 2	\$Vog	*	\$ log	 *	\$vlog	×	\$/log	*	\$/100	*	Boys
13 14 15 15 15 15 15 15 15	6	ž.	03	223	288	888	3.8.2	22:	262	: : :	262	ទទទ	286	888	350
15 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		a	: ⊕≥≩	222	ន និងភ	888	. 8.	777	88.25	: : : :	. 88 55 50 85 50	999	. 28 8	888	. 28x
15	120	ā	: ∞3 }	និនិនិ	883	888	288	525	29 82 29 82 20 80 20 80	5. 2 .22	8.2.8	និនិនិ	228	222	182
15		R	02 }	និនិនិ	558	***	856	521 521	822	± 88	5 2 2	និនិនិ	8 88	885	828
15	9	ž.	@3 }	និនិនិ	ឌ ទិនិ	888	585	252	£ 3 . 26	និនិនិ	\$ 8 5	ti 711 711	288	\$11 \$11	: 50 50 50
15		8	02 }	និនិនិ	ទិនិនិ	888	ģ88	222	\$8.9	<u>\$</u> 58	85.5 5	11 11 11	ភ <u>ិ</u> នខ	25. 25.	218
30 BB 100 101 100 95 107 95 102 110 15 BB 106 101 100 95 107 95 102 113 16 BB 104 95 100 95 109 97 108 113 16 BB 104 95 100 95 109 97 108 113 16 BB 104 95 100 95 109 97 108 113 16 BB 104 95 100 95 109 97 109 113 113 16 BB 105 106 109 95 106 109	0 91	35	@ ≥≩	ទិទិទិ	886	888	888	107 107 100	888	និនិនិ	8 000	117	15 00 00 00	211 211 211	ន្តនិន្ទិ
15		R	@ 3 }	ទិទិទិ	% 5 5	ទិទិទិ	868	701 701 701	838	និនិនិ	011 0113 000	117 117	<u>\$</u> \$\$	31 21 21 21	721 821 821
30 B 104 39 100 102 103 103 103 113 15 B 104 39 100 102 103 103 103 113 30 B 103 39 39 96 106 101 106 110 30 B 103 39 39 96 106 101 106 110 4 103 103 99 96 106 107 106 110 5 B 103 99 104 106 99 105 110 6 B 102 99 104 106 99 105 106 110 8 102 99 104 106 99 105 106 110 9 102 99 104 105 99 105 106 106 106 9 103 99 99	0.61	ž.	@ ≱}	ទីទីទី	886	888	868	800	8666	888	112	222	21 11 80	222	\$25 E
15		8	©≥ }	ទីទីទី	888	888	585	និទិនិ	888	<u> </u>	9119 021	និនិនិ	5.68 5.08	222	982
30	8	2 5	©2 ≸	និនិនិ	888	888	868	និនិនិ	\$.28	និនិនិ	0 0 0 0 0 0	811 811 811	82.28 8.28	118	222
15 B		8	@2 }	និនិនិ	8 55	888	885 2	និនិនិ	282	និនិនិ	113 113	85 E E	. 50 50 50 50	555	ទីនិនិ
30 B 102 101 100 99 101 105 106 109 109 101 105 109 105 111 111 111 111 111 111 111 111 111	0 %	5	023	និនិនិ	886	888	888	និនិនិ	8 200	និនិនិ	<u>8</u> 00 50	5 5 5 5 6	119 122 122	311 311 215	911
15 BB 101 100 99 99 104 106 104 106 107 107 108 108 107 107 107 107 107 107 107 107 107 107		8	03 3	និនិនិ	288 288	588	5 5 5	និនិនិ	ទិនឧ	និនិនិ	<u> </u>	5 5 5 5	<u> </u>	811 811 811	និនិនិ
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102.5 96.7 99.3 91.2 108 93.2 105.9 103.4		R	02 }	555	888	888	500	ទីទីទី	\$ 5%	⊋85 5	<u> </u>	\$5.5 5.5 5.5	000	777	911 711 815
	een of meen	r		102 5	7 96 7	£	5 +6	80:	93.2	6 50	103 €	9.611	8 001	1187	110 7

Expressed as percent of a quadrant-sewn tog of identical size and tend tocation and W. Worst of the 12 rotational positions from 0" to 165" for the plane of the influences are of

Table 8.—Volume' and value yield of various sawing methods for 12-foot hardwood logs, with a centrally located 8-inch-diameter cylindrical core defect

ļ	Ž	fore	1	1	Coleica	col	- Avi		oir evi I	, <u>-</u>	- Avi		dir evi	Ę
	5	E O	Volume	Value	Volume	Value	Volume	Value	Volume	Value	Volume	Value	Volume	Value
호			*	\$/log	8	\$/109	 %	\$/log	8	\$/log	*	\$/log	%	Bol/s
12.0	ž.	02 3	និនិនិ	55.88.82 80.82	888	888	21 21 21 21 21 21	588 5	21 21 21 21	282	និននិ	4, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5, 5,	2 <u>7</u> 22 22	4. 79. 26.
	8	∞≥ ≩	និនិនិ	888	888	100 103 112	211 211 211	222	11.2 12.2 12.2 14.2	57.	25 25 25 25 25 25 25 25 26 2	5, 89, 89 6, 89, 89	<u> </u>	69 69
14.0	ŧ.	œ≱≩	និនិនិ	688	888	96.68 86.68	222	55 67 67	701 80 80 80 80 80 80 80 80 80 80 80 80 80	96 74.	117. 117. 117.	75. 77.	411 411 411	585
	8	∞≥ ≩	និនិនិ	198. 198. 198. 198.	888	101 102 102	801 801 801	528	65 E	88. 97. 97.	117. 117. 117.	98.75.99 25.99	115 411 411	335
16.0	č	∞≥ ≥	888	95 95 95	888	୫.୫.୫	107	75 74 00	និនិនិ	85 <u>0</u> 0	117.	8,99.9 8,99.9	25 25 25 25 25 25 25 25 25 25 25 25 25 2	116
	8	∞≥ }	888	፠፠፠	55g	9.88.89 7.88.89	107 107 107	55 54 54	858	106 106 106	117. 117 117	8.28	25. 25. 25.	118
18.0	51	∞≥≥	222	<u> ទ</u> ិចិ	§ § §	\$ 65 \$	90 90 90 90 90 90 90 90 90 90 90 90 90 9	888	801 700 801	106 106 106	25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 2	⁵ 5 8	<u> 2</u> 222	121 128 118
	8	∞≥≥	និន្និនិ	£ 55 50 50 50 50 50 50 50 50 50 50 50 50 5	8 8 8	880	901 901 901	& 88 2 7	701 901 901	111.	<u> </u>	<u>5</u> 55	121 121 121	25 E S E
200	ž.	œæ≹	និនិនិ	<u> </u>	888	68.86 78.86	95 95 96 96	55 8	105 104 104	411 110 111	85. 86. 86. 86.	901 901 701	117 117 116	ននន
	8	∞≥ ≩	និនិនិ	201 701	588	8 .8.50	95 96 96 96	888	201 201 201	201 105 105 105	817 817 81	79.88.55 7.88.55	117 117 116	116
240	₹.	∞≥≩	និនិនិ	888	888	335 3	105 105 105	888	201 103 103	90 90 90 90	311 311 311	90 50 201 201	115 115 115	711 911 911
	8	∞≥ ≩	និនិនិ	588	55 8	8 8 8 8 8	201 201 201	¥88	20 20 20 20	<u>8</u>	116 116 811	201 107 86	115 115 115	119 119
28.0	ž.	∞≥ ≩	<u> </u>	8668	888	888	<u> </u>	និកិខ	2 40	និនិនិ	211 211 211	118	115 114 114	118 148 17
	R	œ≱≩	555	8 88.6	\$88	101	200 to 20	56 83	40 103 103	5 005	115 115 115	8 200	411	211 911 911
Meen of meens	螳		102 3	93.8	863	98 6	107 3	28	105 6	903	1184	8 26	1170	108 3

Table 9.—Mean values for 12-foot logs with a 1-inch-diameter core defect¹

Diam-	Number		Sawing	method		Means	Mean
eter	of knots	Quedrant	Cant	Decision	Live ²		
ln.				\$/log			
10	15 30	13.81 7.92	15 41 9 21	13 76 7 87	18.48 9.96	15 37 8 74	12 053
12	15 30	29 71 20 52	27 39 21 71	28.01 21.52	33 66 23 25	29.69 21.75	25.720
14	15 30	38.15 30.89	39 65 33 53	39.77 32 40	45 70 34 52	40 82 32 84	36 830
16	15 30	53.82 47.08	53 90 48 00	53 90 48 19	60 85 48 69	55 62 47 99	51 805
18	15 30	68 04 58 68	70 99 60 78	70 28 59 68	77 58 64.63	71 72 60 94	66 330
20	15 30	89 83 79 40	94 87 83 73	89 43 81 09	97 54 79 90	92 92 81 03	86 975
24	15 30	135 67 121 32	140 51 126 82	135 97 124 08	1 44 38 122 07	139 13 123 57	131 350
28	15 30	188.05 174.10	196 83 181 87	188 86 179 10	200 00 175 22	1 93 44 177 57	185 505
Means	15 30	77 13 67 49	79 94 70 71	77 50 69 24	84 77 69 78	79 84 69 3 0	
Mean		?? 31	75 33	73 37	77.28		74 57

Table 10.--Mean values for 12-foot log with a 4-inch-diameter core defect¹

Diam-	Number		Sa	wing metho	od		Means	Mear
eter	of knots	Quadrent	Cent	Decision	Live	Live rip	. 1000113	moai
In.				\$ log	j			
10	15 30	12 65 7 66	13 11 8 59	12.00 7.41	** 04 7 52	11 49 8 02	12 058 7 8 52	9 95 5
12	15 30	25 36 19 94	25 87 21 3 2	24 70 20 44	28 21 20 52	30 2° 23 0°	26.87 21.05	23 958
14	15 30	36 75 30 51	37 72 33 15	35 64 31 41	39.87 31.17	42 09 36 10	38 41 32 47	35 441
16	15 30	51 66 45 44	50 96 46 12	51 02 46 31	57 3 2 45 72	58 3 7 51 93	53 87 47 10	50 485
18	15 30	66 08 58:23	65 26 57 70	66 53 59 18	76 03 61 80	76 52 69 15	70 08 61 21	65 648
20	15 30	87 54 79 15	86 34 79 77	86 71 80 74	96 64 78 65	96 87 87 76	90 82 81 21	86 017
24	15 30	133 36 120 83	135 61 123 97	133 67 122 99	142 49 119 92	142 98 128 03	137 66 123 15	130 405
28	15 30	186 68 174 05	191 25 178 79	185 09 178 03	197 83 175 55	199 20 185 15	192 01 178 31	185 162
Means	15 30	75.01 66 98	75 77 66 68	74 45 68 32	81 18 67 61	82 22 73 64	77 72 69 04	
Mean		70 99	72 23	71 39	74 39	77 93		73 38

Summerized from table 2

¹Summarized from table ¹
²Live rip values were identical to those of live sawing

Table 11.—Mean values for 12-foot logs with a 6-inch-diameter core defect¹

Diam-	Number		Sa	wing metho	d		. Means	Mean
eter	of knots	Quadrant	Cant	Decision	Live	Live rip	. mealls	Medi
In.				\$/log				•••••
10	15 30	10.01 6.94	8.61 6.83	4.56 4.54	6.71 5.40	6.71 5.40	7.32 5.82	6.571
12	15 30	23.50 18.76	19.56 17.09	19.88 16.98	19.86 15.72	21.46 17.68	20.85 17.25	19.049
14	15 30	35.07 29.22	35.23 29.94	31.29 28.58	33.01 27.25	37.88 32.71	34.50 29.54	32.018
16	15 30	49.61 43.35	47.52 43.60	47.44 41.88	46.87 40.88	53.24 48.89	48. 94 43.72	46.328
18	15 30	64.35 56.13	61.28 55.55	62.73 55.35	62.66 55.48	71.88 67.00	64.38 57.90	61.14
20	15 30	85.48 76.89	83.89 78.16	82.82 77.17	86.67 73.17	93.92 87.15	86.56 78.51	82.532
24	15 30	131.42 119.96	128.46 119.50	129.89 121.50	137.60 117.87	141.24 130.81	133.72 121.93	127.82
28	15 30	185.10 172.88	183.84 171.20	182.51 175.11	195.38 175.49	197.17 186.00	188.80 176.14	182 468
Means	15 30	72.94 65.52	71.05 65.23	70.14 65.14	73.59 63.91	77.94 71.95	73.13 66.35	
Mean		69.23	68.14	67.64	68.75	74.95		69.74

¹Summarized from table 3.

Table 12.--Mean values for 12-foot logs with a 8-inch-diameter core defect¹

Diam-	Number of		Sa	wing metho	d		Means	Mean
eter	knots	Quadrant	Cant	Decision	Live	Live rip	. Mealls	mean
ln.				\$/log	 <u> </u>			
12	15 30	17.71 15.38	11.57 9.54	16.85 15.84	11.77 10.86	11.77 10.86	13.93 12.50	13.215
14	15 30	30.27 27.30	29.10 26.76	29.51 27.46	22.03 20.45	23.74 22.19	26.93 24.83	25.881
16	15 30	44.69 40.47	42.34 38.90	42.74 39.48	32.94 30.85	46.46 42.84	41.83 38.51	40.171
18	15 30	59.23 53.92	61.09 55.55	57.63 53.03	53.35 47.28	64.03 59.89	59.10 53.93	56.500
20	15 30	80.22 74.71	81.13 76.12	78.58 73.87	79.86 65.76	88.60 79.56	81.68 74.00	77.841
24	15 30	127.09 116.88	123.96 115.94	124.42 116.84	121.50 108.95	135.06 126.53	126.41 117.03	121.717
28	15 30	180.36 170.99	175.78 167.02	178.83 173,17	189.62 165.26	195.33 182.32	183.98 171.75	177.868
Means	15 30	77.08 71.38	75.00 69.98	75.51 71.38	73.01 64.20	80.71 74.88	76.26 70.36	
Mean		74.23	72.49	73.45	68.61	77.80		73.31

¹Summarized from table 4.

Table 13.—Percent by which dollar value of best rotational position exceeded that of worst rotational position for 12-foot logs with a 1-inch-diameter core defect

Diam-	Number		Sawing	method		Manne	Mass
eter	of knots	Quadrant	Cant	Decision	Live	Means	Mear
in.				<u>%</u>		************	
10	15 30	24.8 38.7	21.8 36.9	24.4 25.7	9.8 41.7	20 20 35 75	27.97
12	15 30	10.4 21.9	8.5 15.3	5.6 15.4	9.2 40.8	8 42 23 35	15.88
14	15 30	13.4 13.7	11.9 12.8	11.9 15.0	5.6 22.8	10.70 16.08	13 39
16	15 30	7 5 6.8	6.6 8.4	6.0 16.2	4 7 22.2	6.20 13.40	9 80
18	15 30	4.9 9.4	6.8 9.4	11.6 2.4	5.1 13.5	7.10 8.68	7 89
20	15 30	5.4 10.1	4.1 7.9	6.2 11.8	8.0 16.3	5 92 11 52	8 72
24	15 30	2.6 5.2	4.5 5.6	4.7 4.7	4.6 14.7	4 10 7 55	5 82
28	15 30	4.6 4.0	3.6 6.9	5 3 4 9	4.3 15.5	4 45 7 82	6 14
Means	15 30	9.20 13.73	8.47 12.90	9 46 12 01	6 41 23 44	8 39 15 52	
Mean	•	11 46	10.69	10 74	14 93		1. 95

Table 14.—Percent by which dollar value of best rotational position exceeded that of worst rotational position for 12-foot logs with a 4-inch-diameter core defect

Diam-	Number of		Sa	wing metho	d		Moone	Mac-
eter	knots	Quadrant	Cant	Decision	Live	Live rip	Means	Mean
ln.				<u>%</u>				
10	15 30	15.9 26.4	28.4 35.5	17.2 21.5	17.0 32.8	18.0 30.1	19.30 29.26	24 28
12	15 30	8.1 16.8	5.9 12.5	9.8 6.9	7.8 32.3	8 3 23.2	7 98 18 34	13 16
14	15 30	12.4 9.4	5.4 12.0	6.9 9.1	28.5 24.0	18. 6 20.4	14.36 14.98	14.67
16	15 30	6.2 7.2	4.9 6.2	8.9 12.1	16.2 15.5	7.2 11.5	8.68 10.50	9 59
18	15 30	5.0 [%] 7.3	5.7 9.9	8.5 7.9	7.8 18.8	3.5 10.6	6.10 10.90	8 50
20	15 30	4.2 9.8	4.4 6.4	7.1 11.1	7.5 16.3	7.1 9.6	6.06 10.64	8 53
24	15 30	2.8 5.2	4.6 7.0	4.8 5.2	4.9 15.3	4.7 13.8	4.36 9.30	6.83
28	15 30	4.1 4.0	4.2 6.2	5.1 4.9	3.8 12.3	3.5 3.9	4.14 6.26	5.20
Means	15 30	7.3 10.8	7.9 12.0	8.5 9.8	11.7 20.9	8.9 15.4	8.87 13.77	
Mean		9.0	9.9	9.2	16.3	12.1		11.32

Table 15.—Percent by which dollar value of best rotational position exceeded that of worst rotational position for 12-foot logs with a 6-inch-diameter core defect

Diam-	Number of		Sa	wing metho	d		. Means	Mear
eter	knots	Quadrant	Cant	Decision	Live	Live rip	. MEGIIS	INCAI
in.			_	<u>%</u>				
10	15 30	27.6 23.7	5.54 62.1	6.3 6.3	20.6 36.6	20.6 36.6	16.12 33.06	24.59
12	15 30	6.1 23.2	0.4 16.4	11.6 20.5	17.9 27.3	15.1 32.7	10.22 24.02	17.12
14	15 30	10.7 7.4	5.1 16.3	10.7 10.4	16.7 30.8	11.6 21.1	10.96 17.20	14.08
16	15 30	5.7 8.4	3.5 5.6	8.8 12.6	8.1 16.9	7.1 9.4	6.64 10.58	8.61
18	15 30	3.1 7.8	5.2 8.1	7.1 10.0	5.2 7.1	4.9 7.1	5.10 8.02	6.56
20	15 30	5.7 12.0	5.3 4.5	8.3 6.6	20.9 12.3	6.0 9.7	9.24 9.02	9.13
24	15 30	2.6 4.6	3.4 5.7	3.3 4.5	10.4 10.0	4.8 10.7	4.90 7.10	6.00
28	30	4.3 4.8	4.7 6.7	6.0 3.6	5.4 15.5	3.6 5.5	4.80 7.22	6.01
Means	15 30	8.2 11.5	4.1 15.7	7.8 9.3	13.1 19.6	9.2 16.6	8.50 14.53	
Mean		9.9	9.9	8.5	16.3	12.9		11.51

Table 16.—Percent by which dollar value of best rotational position exceeded that of worst rotational position for 12-foot logs with a 8-inch-diameter core defect

Diam-	Number		Sa	wing metho	d		Manna	Maam
eter	of knots	Quadrant	Cant	Decision	Live	Live rip	Means	Mear
In.				%				
12	15 30	2.8 16.0	31.2 14.0	0.4 3.1	8.7 18.0	8.7 18.0	10.36 13.82	12 09
14	15 30	6.6 9.2	8.3 19.9	3.5 8.4	19.3 33.8	15.9 19.3	10 72 18 12	14 42
16	15 30	5.7 9.9	12.1 9.1	6.4 12.9	12.8 11.6	10.2 12.4	9 44 11 18	10 31
18	15 30	4.3 7.0	5.2 8 1	4.3 4.9	17.1 18.1	12.0 11.7	8 58 9 96	9 27
20	15 30	5.9 11 . 5	4.0 3.6	3.5 7.8	12.1 9.9	8.5 5.8	6.80 7.72	7.26
24	15 30	3.6 5.0	2.4 6.4	2.7 4.3	8.2 10.5	43 97	4.24 7.18	5 71
28	15 30	4.5 4.7	4.0 6.4	4.7 3.3	14.4 13.4	4 7 4 6	6 46 6.48	6 47
Means	15 30	4.8 9.0	9.6 9.6	3.6 6.4	13.2 16.5	9.2 11.6	8 09 10 64	
Mean		6.9	9.6	5.0	14.9	10.4		9 36

Table 17.—Summary¹ of percent by which dollar value of best rotational position exceeded that of worst-rotational position for 12-foot logs

Diam-		Sa	awing method			Means
eter -	Quadrant	Cant	Decision	Live	ve Live rip	
ln.			%-			
10	26.18	31.70	16.90	26.42	26.33	25.51
12	13.16	13.03	9.16	20.25	17.67	14.65
14	10.35	11.46	9.49	22.69	17.82	14.36
16	7.17	7.05	10.49	13.50	9.63	9.59
18	6.10	7.30	7.09	11.59	8.30	8.08
20	8.07	5.03	7.80	12.91	7.78	8.32
24	3.95	4.95	4.27	9.83	8.00	6.20
28	4.37	5.34	4.73	10.57	7.60	6.52
Mean	9.919	10.733	8.741	15.970	12.891	11.65

¹Averages of 15- and 30-knot logs and of 1-, 4-, and 8-in-diameter core defects.

Table 18.—Mean values per log (dollar value and percent of value for same log quadrant sawn¹) as average of mean values for 15- and 30-knot logs with 1-inch-diameter core defects

Diam-			S	awing metho	od			Ma	ans	
eter ·	Quadrant	Ca	ent	Dec	Decision		ve	···caria		
ln.	\$/log	\$/log	%	\$/log	%	\$/log	%	\$/log	%	
10	10.86	12.31	113.35	10.82	99.58	14.22	130.94	9.64	85.97	
12	25.12	24.28	96.66	24.76	98.59	28.46	113.28	25.66	102.84	
14	34.52	36.59	106.00	36.08	104.53	40.11	116.19	36.82	108.90	
16	50.45	50.95	100.99	51.04	101.18	54.77	108.56	51.80	103.58	
18	63.36	65.88	103.98	64.98	102.56	71.10	112.22	66.33	106.25	
20	84.62	89.30	105.54	85.26	100.76	88.72	104.85	86.98	103.72	
24	128.50	133.66	104.02	130.02	101.19	133.22	103.68	131.35	102.96	
28	181.08	189.35	104.57	183.98	101.60	187.61	103.61	185.50	103.26	
Means	72.31	75.29	104.39	73.37	101.25	77.28	111.67	74.56	105.77	
lean refigu om \$/log n		104	.12	101	.47	106	i. 8 7	103	1.11	

¹From table 9; percent of quadrant values were calculated from \$\(^1\)log values.

Table 19.—Mean value per log (dollar value and percent of value for same log quadrant sawn¹) as average of mean values for 15- and 30-knot logs with 4-inch-diameter core defects

Diam-				Sa	wing metho	od				Me	ans
eter	Quadrant	Са	ınt	Deci	sion	Li	ve	Live	rip		
ln.	\$/log	\$/log	_%_	\$/log	%	\$/log	%	\$/log	%	\$/log	<u>%</u>
10	10.16	10.85	106 8	9.74	95.9	9 28	91 3	9.76	96 1	9.96	97.53
12	22.65	23.60	104.2	22.57	99.6	24 36	107 5	26.61	117.5	23.96	107.2
14	33.63	35.44	105.4	33.52	99.7	35 52	105 6	39.10	116 3	35.44	106.75
16	48.55	48.54	100.0	48.66	100.2	51 52	106 1	55.15	113.6	50.43	104.98
18	62.16	61.48	98.9	62.86	101.1	68 92	1109	72.84	117 2	65.65	107.03
20	83.34	83.06	99.7	83.72	100 5	87 64	105 2	92.32	110.8	86.02	104.05
24	127.10	129.79	102.1	128.43	101 0	131 20	103.2	135.50	106.6	130.40	103.23
28	180.36	185.02	102.6	181.56	100.7	186 69	103 5	192.18	106.6	185.16	103.35
Means	70.99	72.22	102.46	71 38	99.84	74 39	104.16	77.93	110.59	73.38	104.26
Mean refigu from \$ log r	ured means	101	.73	100	.55	104	.79	109).78	100	3.37

¹From table 10; percent of quadrant values were calculated from \$ log values.

Table 20.—Mean value per log (dollar value and percent of value for same log quadrant sawn¹) as average of mean values for 15- and 30-knot logs with 6-inch-diameter core defects

Diam-				Sa	wing metho	od				Me	ans
eter	Quadrant	Ca	nt	Deci	sion	Li	ve	Live	rip		
ln.	\$/log	\$/log	%	\$/log	%	\$/log	%	\$/log	%	\$/log	_%
10	8.48	7.72	91.0	4.55	53.7	6.06	71 5	6.06	71.5	6.57	71.93
12	21 13	18.32	86.7	18.43	87.2	17 79	84.2	19.57	92.6	19.05	87 68
14	32.14	32.58	101.4	29.94	93.2	30.13	93.7	35.30	109.8	32.02	99 53
16	46.48	45 56	98.0	44.66	96.1	43.88	94.4	51.06	109.9	46.33	99 70
18	59.74	58.42	97.8	59.04	98.8	59.07	98.9	69.44	116.2	61.14	102.93
20	81.18	81.02	99.8	80.00	98.5	79.92	98.4	90.54	111.5	82.53	102 05
24	125.69	123.98	98.6	125.70	100.0	127.74	101.6	136.02	108.2	127.83	102.10
28	178.99	177.52	99.2	178.81	99.9	185.44	103.6	191.58	107.0	182.47	102.43
Means	69.23	68.14	96.56	67.64	90.93	68.75	93.29	74.95	103.34	69 74	96 04
Mean refigu rom \$log n	red neans	98	.43	97	·.70	99	.31	108	1.26	100).74

^{*}From table 11: percent of quadrant values were calculated from \$ log values.

Table 21.—Mean value per log (dollar value and percent of value for same log quadrant sawn') as average of mean values for 15- and 30-knot logs with 8-inch-diameter core defects

Diam-				Sar	wing metho	od				Means		
eter	Quadrant	Ca	ınt	Deci	Decision ●		ve	Live	rip			
ln.	\$/log	\$/log	%	\$/log	%	\$/log	%	\$/log	%	\$/log	<u></u> %_	
12	16.54	10.56	63.8	16.34	98.8	11.32	68.4	11.32	68.4	13.22	74.85	
14	28.78	27.93	97.0	28.48	99.0	21.24	73.8	22.96	79.8	25.88	87.40	
16	42.58	40.62	95.4	41,11	96.5	31.90	74.9	44.65	104.9	40.17	92. 9 3	
18	56.58	58.32	103.1	55.33	97.8	50.32	88.9	61.96	109.5	56.50	99 83	
20	77.46	78.62	101.5	76.22	98.4	72.81	94.0	84.08	108.5	77.84	100.6	
24	121.98	119.95	98.3	120.63	98.9	115 22	94.5	130.80	107.2	139.92	99.73	
28	175.68	171.40	97.6	176.00	100.2	177.44	101 0	188.82	107.5	177.87	101.57	
Means	74.23	72.49	93.8	73.44	98.5	68.61	85.1	77.80	98.0	73.31	93.84	
Mean refigu from \$/log r	ired neans	97	.66	98	.94	92	.43	104	.81	98	3.76	

¹From table 12; percent of quadrant values were calculated from \$/log values.

Table 22.—Mean volume¹ and value² yield for 12-foot hardwood logs of varying diameters and core defects

Log	Core				Sawing	method			
diam- eter	defect diam	Ca	nt	Deci	sion	Liv	/e	Live	rip
	eter	Volume	Value	Volume	Value	Volume	Value	Volume	Value
ln.	ln.					<u>%</u>			
10	1	103.7	113.4	98.9	99.6	113.5	130 9	113.5	130.9
-	4	103.7	106.8	98.9	95.9	113.5	91.3	106.3	96.1
	Ř	103.7	91.0	98.9	53.7	113.5	71.5	113.5	71.5
	6	103.7	-	-	_			-	_
40		400.0	00.7	00.0	00.6	111.5	113.3	111.5	113.3
12	1	103.0	96.7	99.3	98.6				
	4	103.0	104.2	99.2	99.6	111.5	107.5	110.2	117.5
	6	103.0	86.7	99.3	87.2	111.5	84.2	109.2	92.6
	8	103.0	63.8	99.3	98.8	111.5	68.4	111.5	68.4
14	1	102.8	106.0	99.0	104.5	107.5	116.2	107.5	116.2
	4	102.8	105.4	98.9	99.7	107.5	105.6	106.8	116.3
	ě	102.8	101.4	99.0	93.2	107.5	93.7	100.7	109.8
	6 8	102.8	97.0	99.0	99.0	107.5	73.8	105.5	79.8
									400.0
16	1	100.3	101.0	99.7	101.2	107.2	108.6	107.2	108 6
	4	100.3	100.0	99.7	100.2	107.2	106.1	106.8	113.6
	6 8	100.3	98.0	99.8	96.1	107.2	94.4	101.8	109.9
	8	100.3	95.4	99.6	96.5	107.2	74.9	103.4	104.9
18	1	104.3	104.0	98.8	102.6	109.3	112.2	109.3	112.2
		104.3	98.9	99.0	101.1	109.3	110.9	109.0	117.2
	ě	104.3	97.8	100.0	98.8	109.3	98.9	108.1	116.2
	4 6 8	104.3	103.1	99.8	97.8	109.3	88.9	106.5	109.5
•		400 5	405.5	20.0	400.0	400.0	104.8	106.3	104.8
20	1	102.5	105.5	98.9	100.8	106.3			
	4	102.5	99.7	98.9	100.5	106.3	105.2	105.9	110.8
	6	102.5	99.8	99.3	98.5	106.3	98.4	105.4	111.5
	8	102.5	101.5	99.1	98.4	106.3	94.0	104.5	108.5
24	1	102.0	104.0	98.8	101.2	105.2	103.7	105.2	103.7
	4	102.0	102.1	98.9	101.0	105.2	103.2	105.0	106.6
	4 6	102.0	98.6	99.5	100.0	105.2	101.6	104.8	108.2
	8	102.0	98.3	99.5	98.9	105.2	94 5	103.8	107.2
28	1	101.2	104.6	97.4	101.6	104.2	103.6	104.2	103.6
20									
	4	101.2	102.6	97.7	100.7	104.2	103.5	104.1	106.6
	6 8	101.2	99.2	98.4	99.9	104 2	103.6	103.5	107.0
	8	101.2	97.6	98.9	100.2	104.2	101.0	103.6	107.5

Table 22.—Mean volume¹ and value² yield for 12-foot hardwood logs of varying diameters and core defects

Log	Core									
diam- eter	defect diam	Са	nt	Decision		Live		Live rip		
	eter	Volume	Value	Volume	Value	Volume	Value	Volume	Value	
ln.	In.					%				
Means	1	102.5	104.4	98.9	101.3	108.1	111.7	108.1	111.7	
	4	102.5	102.5	98.9	99.8	108.1	104.2	106.8	110.6	
	6	102.5	96.6	99.3	90.9	108.1	93.3	105.9	103.3	
	8	102.3	93.8	99.3	98.5	107.3	85.1	105.5	98 0	
Aean of m	neans	102.4	99.3	99.1	97.6	107.9	98.6	106.6	105.9	
Column m	eans	102.4	99.5	99.1	97.6	107.9	99.0	106.6	106.1	

¹Caiculated from means in tables 1 through 4 ²Summarized from percentage values in tables 18 through 21. ³Each item is the average of the mean for a 15- and 30 knot log, and is expressed as percent of a quadrant sawn log of identical size and knot locations.

Table 23.—Value¹ of lumber produced from 12-foot logs of varying diameter, averaged for 15- and 30-knot logs and for 1-inch, 4-inch, 6-inch, and 8-inch-diameter core defects

Diam-				Sawing	method	I			
eter -	Quadrant	Ca	int	Deci	sion	Li	ve	Live rip ²	
in.	\$/log	\$/log	%	\$/log	%	\$/log	%	\$/log	%
10	9 83	10 29	104 7	8.07	85 1	9 85	100 2	10 01	101.8
12	21.36	19 19	89 9	20.52	96.1	20 48	95.9	21 49	100 6
14	32.27	33 13	102 ?	32 00	99 2	31 75	98 4	34 37	106.5
16	47.02	46 42	98 7	46.37	98 6	45 52	96 8	51 41	109 3
18	60.46	61 02	100 9	60 55	100 2	62 35	103 1	68 84	1139
20	81.65	83.00	101 7	81 30	99 6	82 27	100 8	88 92	108 9
24	125.82	126.84	100 8	126.20	100 3	126 84	100 8	133 88	106 4
28	179.03	180.82	101.0	180 09	100.6	184 30	102 9	190 05	106.2
Mean	69.68	70.09	100.0	69 42	97 5	70.42	99 9	74 87	106 7
Mean refigur S log means		99	96	10	1 1	10	7 6		

¹Values expressed as percent of a quadrant-sawn log of identical size and knot location.

²The live np averages include values for 1-inch core logs. These values are omitted from tables 1, 5, 9, 13, and 18 because they are equal to live sawing values, but they are valid and are used in subsequent calculations as if they had been listed in those tables.

³The 10-inch-diameter log averages do not contain values for 8-inch core defects, as they were not used with 10-inch logs.

Table 24.— Summary percentages (tables 18-21) showing effect of weighting system on calculation of average percentages

Core	Sawing method											
defect diam- eter	Ca	ant	Decision		Live		Live	e rip				
<u>In.</u>	Average	% of	Average	% of	Average	<u>% of</u>	Average	<u>% of</u>				
	of %1	average ²	of %1	average ²	of %1	average ²	of %1	average				
1	104.4	104.1	101.2	101.5	111.7	106.9	111.7	106.9				
4	102.5	101.7	99.8	100.5	104.2	104.8	1106	109 8				
6	96.6	98.4	90.9	97.7	93 3	99 3	103 3	108 3				
8	93.8	97.7	98.5	98.9	85.1	92.4	98.0	104.8				
Mean	99.3	100.5	97.6	99.6	98.6	100.8	105.9	107.4				
Mean of means	9	9.9	9	8.6	9	9.7	10	6.7				

¹Equal weighting for each log size. ²Weighted by dollar value.

Table 25.—Mean values per log (dollar value and percent of value for same log quadrant sawn) averaged for 15- and 30-knot logs and for 1- and 4-inch-diameter core defects

Diam- eter	Sawing method										
	Quadrant	Cant		Decision		Live		Live rip		Means	
ln.	\$/log	\$/log	%	\$/log	%_	\$/log	%	\$/log	%	\$/log	%
10	10.51	11.58	110.2	10.28	97.8	11.75	111.8	11.99	114.1	11.22	108.5
12	23.88	23.94	100.3	23.66	99.1	26 41	110.6	27.54	115.3	25.09	106.3
14	34.08	36.02	105.7	34.80	102.1	37 82	111.0	39.60	116.2	36.46	108 8
16	49.50	49.74	100.5	49.85	100.7	53.14	107.4	54.96	111.0	51.44	104.9
18	62.76	63.68	101.5	63.92	101.8	70.01	111.6	71.97	114.7	66.47	107.4
20	83.98	86.18	102.6	84.49	100.6	88 18	105.0	90.52	107.8	86.67	104.0
24	127.80	131.72	103.1	129.22	101.1	132.21	103.5	134.36	105.1	131.06	103.2
28	180.72	187.18	103.6	182.77	101.1	187.15	103.6	189.90	105.1	185.54	103.4
Means	71.65	73.76	103.4	72.37	100.5	75.83	108.1	77.60	111.2		
ean refrigure om \$/log me	ed ans	102.9		101.0		105.8		108.3			

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